# The Impact of Consumer Inattention on Insurer Pricing in the Medicare Part D Program* 

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#### Abstract

The Medicare Part D program relies on consumer choice to provide insurers with incentives to offer low-priced, high-quality pharmaceutical insurance plans. We demonstrate that consumers switch plans infrequently and search imperfectly. We estimate a model of consumer plan choice with inattentive consumers and show that high observed premiums are consistent with insurers profiting from consumer inertia. We estimate the reduction in steady state plan premiums if all consumers were attentive. An average consumer could save $\$ 1050$ over three years; government savings in the same period could amount to $\$ 1.3$ billion or $1 \%$ of the cost of subsidizing the relevant enrollees.


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## 1 Introduction and Motivation

The addition of pharmaceutical benefits to Medicare in 2006 was the largest expansion to the Medicare program since its inception. Not only is the program large, it is also innovative in design. Traditional Medicare Parts A and B are organized as a single-payer system; enrollees see the physician or hospital of their choice and Medicare pays a pre-set fee to that provider, leaving no role for an insurer. In contrast, Part D benefits are provided by private insurance companies that receive a subsidy from the government as well as payments from their enrollees. The legislation creates competition among plans for the business of enrollees, which is intended to drive drug prices and premiums to competitive levels. Each Medicare recipient can choose among the plans offered in her area based on monthly premiums, deductibles, plan formularies, out-of-pocket costs (OOP costs or copayments) for drugs, and other factors such as the brand of the insurer and the quality of customer service.

The premise of the Part D program was that consumers' ability to choose their preferred plan would discipline insurers into providing lower prices and higher quality than would be achieved through a government-run plan. Critically, these better outcomes require that consumers choose effectively, so that demand shifts to plans that consumers prefer because they offer low prices or high quality. If consumers choose plans randomly, a plan will have no incentive to lower its price because this will not affect enrollment, and markups will be high. In contrast, if many consumers choose to enroll in a plan that lowers its price, markups will fall as firms offer lower premiums to consumers.

This paper compares Part D plan pricing when some consumers are inattentive to the case when all consumers are attentive. We demonstrate that, in reality, consumer choices are made with substantial frictions. Consumers rarely switch between plans and do not consistently shop for price and quality when they do switch. We provide evidence that, because of the absence of strong disciplining pressures from consumers, insurers set prices above the level they would choose if all consumers were attentive. Thus plans extract high rents due to consumer inattention. Not only would improved consumer search benefit consumers directly, it would also lead to plan re-pricing that would save both consumers and the government significant sums. Our estimates indicate that removing inattention and allowing prices to adjust while leaving other sources of consumer
preferences unchanged could reduce consumer expenditures by over $\$ 1000$ per enrollee over the three years 2007-9. Under our assumptions, government program costs would fall by $\$ 1.3$ billion over the same period due to plan re-pricing. We find that the insurer response - lowering premiums - results in significant savings to both enrollees and taxpayers.

One concern when Part D began was that the prices the plans paid for drugs would rise because plans would lack the bargaining power of the government. Duggan and Scott Morton (2010) demonstrate that this did not happen. Rather, prices for treatments bought by the uninsured elderly fell by $20 \%$ when they joined Part D. Since the program's inception, increases in pharmaceutical prices have been restrained. This is due in part to aggressive use of generics by many insurers, but also to insurers' ability to bargain for rebates in exchange for favorable formulary placement and therefore market share. According to Congressional Budget Office estimates, drug costs under the basic Part D benefit increased by only $1.8 \%$ per beneficiary from 2007-2010 net of rebates. The remainder of plan expenditures - approximately $20 \%$ of total costs according to the CBO - consists of administration, marketing, customer service, and like activities. The PCE deflator for services during this same time period increased at an average annual rate of $2.40 \%$. Yet, despite these modest increases in the costs of providing a Part D plan, premiums in our data were on average $62.8 \%$ higher in 2009 than they were in 2006, the first year of the program, which corresponds to a $17.6 \%$ compound annual growth rate. The CBO estimates indicate that plan profits and administrative expenses per beneficiary (combined) grew at an average rage of $8.6 \%$ per year from 2007 to 2010.

These figures raise the question of why slow growth in the costs of drugs and plan administration were not passed back to consumers in the form of lower premiums. One possibility is that Part D may be well designed to create competition among treatments that keeps the prices of drugs low, yet may not do so well at creating competition among plans in order to restrain the prices consumers face. Because the program is $75 \%$ subsidized by the federal government, any lack of effective competition would increase government expenditures as well as consumer costs. Our objective in this paper is to investigate the extent to which consumer choice imperfections in this market impede competition between plans.

Part 2 of the paper describes the Medicare Part D program and discusses reasons for search imperfections. In Parts 3 and 4 we review the literature related to consumer demand with choice
frictions, in Medicare Part D and elsewhere, and the dynamics of pricing in that environment. In Part 5 we describe our dataset, which provides detailed information on the choices and claims of nonsubsidized enrollees in New Jersey. In Part 6 we observe that consumers consistently make choices that are financially costly given their consumption patterns, and that this pattern of choosing expensive plans when cheaper ones are available does not appear to diminish with either experience in the program or time. Consumers seem to switch plans in response to "shocks" to their health or current plan characteristics, but are much less sensitive to changes in other plans. Motivated by these findings, we develop a two-stage consumer decision model for estimation which accounts for inattention as a source of inertia. We identify the effect of consumer inattention separately from other potential sources of choice persistence, such as persistent heterogeneous unobserved preferences, using a detailed panel dataset which documents the choices of new entrants to the Part D program and then follows each individual's choices over time. Our identification strategy is similar to that utilized in recent related papers that investigate the reasons for consumer choice persistence in other health insurance programs (Handel (2013), Polyakova (2014)). The estimates indicate that inattention is an important part of the story.

Having established the behavior of consumers, we turn to analysis of the supply side of the Part D marketplace in Section 7. Using a dataset of nationwide plan characteristics and enrollment, we show that plans with larger market shares set prices in a manner consistent with high choice frictions. We also document rapid growth in plan prices that is not accounted for by changes in costs, and high dispersion in relatively homogenous standard benefit plans that is indicative of search frictions.

The final section of the paper, Section 8, uses the estimated demand model to conduct simulations that allow the supply side to adjust to a reduction in the proportion of consumers who are inattentive. We focus on plan premium choices. We abstract away from dynamics and model plans as profit-maximizing insurers that take into account the elasticity of demand, including consumers' attentiveness, when choosing a markup over cost. More attentive and price-elastic consumers will generate lower insurer margins. We use accounting data from the Part D program to estimate firm costs and then predict plans' optimal static premium bids under various assumptions regarding the proportion of consumers who are inattentive, and hence the expected premium sensitivity faced by insurers. We show that the greater the percent inattentive, the higher the optimal premium bids
chosen by plans. In our preferred simulation, removing inattention-and allowing plans to reprice in response to this change - would generate savings of $\$ 1,050$ per consumer over the years 20072009. These results indicate that even if consumers do not choose the lowest-cost plan for them, whether due to information processing costs or for other reasons, simply prompting them to choose a new plan every year has a substantial effect on costs through the channel of plan premiums. If we assume these changes can be generalized to plans nationwide, the federal government would save $\$ 1.3$ billion between 2007-2009 if inattention was removed. Although we note that allowing for dynamic pricing would affect these predictions, perhaps generating an increase in premiums over time as plans "invest" to attract enrollees and then "harvest" their installed base, our static analyses are sufficient to demonstrate the substantial long-run savings, to consumers and government, that could result from increasing competition through reduced inattention.

Studies such as ours are crucial both to future policies concerning Part D plan design, information provision, and quality regulation, but also to those same issues in health insurance. Our results are relevant for policy and market design decisions in any health care market that relies on competition as a means to control costs and deliver quality.

## 2 Medicare Part D

Pharmaceutical benefits were not part of Medicare when it was first launched in 1965. However, the rising share of pharmaceuticals in the cost of healthcare created significant OOP expenditures for seniors and led to the creation of the Part D program under President Bush in 2006. The novelty of this government benefit is the fact that it is essentially privatized: insurance companies and other sponsors compete to offer subsidized plans to enrollees. The sponsor is responsible for procuring the pharmaceutical treatments and administering the plan.

The Basic Part D plan is tightly regulated in its benefit levels so that there is limited flexibility for plans to reduce quality and thereby lower costs and attract enrollees. Plans must offer coverage at the standard benefit level, and each bid must be approved by the Centers for Medicare and Medicaid Services (CMS). The coverage rules include restrictions on plans' formularies, including which therapeutic categories or treatments must be covered. Plans are mandated to cover "all or substantially all" drugs within six "protected" drug treatment classes, as well as two or more drugs within
roughly 150 smaller key formulary types. The protected classes include many treatments that would identify very sick patients such as AIDS drugs, chemotherapy treatments, and antipsychotropics. Plans' placement of these drugs on their formulary is required, and the cost-sharing required of beneficiaries is carefully scrutinized by CMS to ensure plans are not discriminating against sick beneficiaries. Hence it is not straightforward for a plan to avoid the sickest enrollees; this was particularly true in the first years of the program when it was unclear which enrollees would have particular costs or utilization profiles and there was no usage history. Moreover, subsidy payments to plans are risk-adjusted according to their enrollee's demographics and health status. There is an additional multiplier to increase the subsidy for low-income and institutionalized status. Thus sponsors receive higher payments for sicker enrollees which reduces their incentive to seek out healthy participants. In addition, plans must evaluate their predicted costs using CMS-specific actuarial models. This limits their ability to attract consumers by shifting costs to a part of the benefit that the enrollee has difficulty evaluating or will pay later. The result of this fairly tight regulatory environment is that the plan's premium emerges as its most salient characteristic for consumers, particularly for the defined standard benefit plan. 1 We will see in our empirical work that consumers place high weight on a plan's premium when they make choices among plans. The deductible and other characteristics have an effect, but their empirical magnitude is much smaller than that of the premium.

Enrolling in Part D is voluntary, and one might be concerned that adverse selection would mean only sick seniors enroll. However, the subsidy for the program is set by legislation to be an average of $74.5 \%$ of costs, so for the vast majority of seniors, enrolling is financially favorable (see Heiss et al. (2006)) and most eligible seniors did enroll. In addition, the newly eligible who delay enrolling (perhaps until they become sick) are required to pay a higher price for coverage when they do join.

Many observers have noted that the Part D choice problem is difficult and the empirical literature indicates that consumers do not choose plans that minimize their costs. In 2006 when the program began there were at least 27 plans offered in each county in the US. Enrollees had to consider how premiums varied across these plans, forecast their drug consumption in the year ahead and compare the OOP costs for that set of drugs across plans. In addition enrollees might receive

[^1]an adverse health shock during the year that would change the set of medications demanded, necessitating the comparison of expected expenditures across plans. Furthermore, no major program like this existed in the US at the time Part D began, so seniors likely had no experience attempting to make these calculations. Lastly, most Part D consumers are older Americans; outside the dualeligible and disabled, Medicare eligibility begins at age 65. Finding a low-cost plan in the Part D program therefore requires the elderly to carry out a fairly difficult cognitive task.

Part D benefits are provided through two types of private insurance plans. The first is a simple prescription drug plan (PDP) which provides coverage only for prescription drug costs for seniors enrolled in the standard fee-for-service Medicare program (which does not cover drug costs). In 2006, 10.4 million people enrolled in PDPs. Medicare Advantage plans (MA-PD), for seniors who have opted out of standard Medicare, function similarly to an HMO; such plans insure all Medicarecovered services, including hospital care and physician services as well as prescription drugs. In 2006, 5.5 million people enrolled in MA-PDs. By 2013, of the 32 million Part D enrollees, almost 20 million were enrolled in PDPs. MA-PD plans have particularly low enrollment in New Jersey, the state from which our data are taken: only 18-20\% of NJ Part D enrollees were in MA-PD plans in 2006-9, compared to $32-38 \%$ in the U.S. overall. This paper focuses solely on PDPs and prescription drug coverage. We assume that PDP enrollees do not consider enrolling in an MA-PD plan. We justify this assumption by noting both the low share of New Jersey MA-PD plans and the fact that moving from a stand-alone PDP to an MA-PD plan incurs the substantial cost of changing coverage (and potentially providers) for hospital and physician services as well as prescription drugs.

A fee-for-service Medicare enrollee can choose among all the PDPs offered in her region of the country. A plan sponsor contracts with CMS to offer a plan in one (or more) of the 34 defined regions of the US. The actuarial value of the benefits offered by a plan must be at least as generous as those specified in the legislation. In the 2006 calendar year this included a deductible of $\$ 250$, a $25 \%$ co-insurance rate for the next $\$ 2000$ in spending, no coverage for the next $\$ 2850$ (the "coverage gap"), and a five percent co-insurance rate in the "catastrophic region", when OOP expenditures exceed $\$ 3600$. As these figures change annually, we report them through 2013 in Appendix Table 1. A sponsor may offer a basic plan with exactly this structure, or one that is actuarially equivalent for example with no deductible but higher cost-sharing. Enhanced plans have additional coverage
beyond these levels and therefore higher expected costs and higher premiums ${ }^{2}$
The way in which sponsors bid to participate in the program is important to an analysis of competition. Sponsors must apply to CMS with a bid at which each plan they wish to offer will provide the benefits of a basic plan to enrollees 3 Importantly, the costs that the plan is meant to include in its bid are those it will expend to administer the plan, including for example, the cost of drugs, overhead, and profit, and net of any costs paid by the enrollee such as the deductible or copayments and reinsurance paid by CMS . ${ }^{4}$ The bid is supposed to reflect the applicant's estimate of its "average monthly revenue requirements" (i.e. how much it wants to be paid) to provide basic Part D benefits for a well-defined statistical person. CMS takes these bids and computes a "national average monthly bid amount" (NAMBA). $5^{5}$ CMS uses the government subsidy percentage ( $74.5 \%$ ) plus an estimate of its reinsurance costs and other payments to determine how much of the bid the beneficiaries must pay on average. This is called the beneficiary premium percentage, and in the first year of the program it was $34 \% \%^{6}$. The Base Beneficiary Premium (BBP) is then the average bid (NAMBA) times the percentage payable by consumers. The premium for any given plan is this BBP adjusted by the full difference between the plan's own bid and the NAMBA average. If a plan's monthly bid is $\$ 30$ above NAMBA, then its premium will be $\$ 30$ above the BBP, and similarly if the bid is below the NAMBA (with the caveat that the premium is truncated at zero). This scheme makes the consumer bear higher premiums at the margin, which contributes to differences in premiums being important in consumer choice.

Two types of beneficiaries do not pay the full cost of Part D coverage. Approximately 6.3 million dual-eligible Medicaid recipients were automatically enrolled in Part D in 2006, as were an additional 2.2 million Low Income Subsidy (LIS) recipients. Premiums and OOP costs are fully paid by the government for the former, while the latter receive steep discounts. Foreseeing

[^2]that LIS enrollees might be less price sensitive than regular enrollees, the Part D regulations only provide a full subsidy for LIS recipients who choose a plan with costs below the benchmark for their region $\sqrt{7}$ If a plan loses benchmark status, its enrollees are automatically reassigned (equally across qualifying plans) to a benchmark plan in their region unless they choose to opt out and pay the cost difference themselves. Approximately $10 \%$ of enrollees in this category chose to opt out and become active "choosers" in 2007-8 (Summer et al 2010). Although our demand model considers only non-LIS enrollees who are not dual eligible, that paper suggests that LIS enrollees who opted out behaved in a manner consistent with inattention, like the population we consider $8^{8}$

The participation of private sector insurers in this new program in 2006 was voluntary and therefore uncertain. However, it turned out that many sponsors, both public and private, entered the Part D market in 2006. There were 1429 PDP plans offered nationwide in 2006 (though this had fallen to 1031 by 2013); every state had at least 27 PDPs every year during our sample period. Enrollees select one of these plans during the open enrollment period each November to take effect in the subsequent calendar year. The program includes many sources of aid for enrollees in making these decisions. Most importantly, CMS has created a website called "Planfinder" that allows a person to enter her zip code and any medications and see the plans in her area ranked according to OOP costs. The website also enables prospective enrollees to estimate costs in each plan under three health statuses (Poor/Good/Excellent), to estimate costs in standard benefit plans based on total expenditures in the previous year, and to filter plans based on premiums, deductibles, quality ratings and brand names. A Medicare help line connects the enrollee to a person who can use the Planfinder website on behalf of the caller in order to locate a good choice. However, conversations with CMS representatives suggest that very few enrollees make full use of the website. Pharmacies, community service centers, and other advocates offer advice. Survey evidence (Kaiser Family Foundation (2006), Greenwald and West (2007)) indicates that enrollees rely on friends and

[^3]family to help them choose a Part D plan, yet still find the choice process difficult.

## 3 Literature Review: Consumer Demand

The introduction of Part D immediately created a literature evaluating outcomes from the novel program structure. An important early paper documenting that the elderly do not choose optimally is that of Abaluck and Gruber (2011, hereafter AG). Using a subset of claims data from 2005 and 2006 and a similar methodology to our own, the authors show that only $12 \%$ of consumers choose the lowest cost plan; on average, consumers in their sample could save $30 \%$ of their Part D expenditure by switching to the cheapest plan. Consumers place a greater weight on premium than expected OOP costs, don't value risk reduction, and value certain plan characteristics well beyond the way those characteristics influence their measure of expected costs. These results have been largely corroborated by Heiss et al. (2013) and Ketcham et al. (2012) among others.

Other studies have examined infrequent switching between plans as an explanation for inefficient consumer choice in the Part D market. In a field experiment, Kling et al. (2012) show that giving Part D consumers individualized information about which plans will generate the most cost savings for them can raise plan switching by $11 \%$ (from $17 \%$ to $28 \%$ ) and move more people into low-cost plans. Ketcham et al. (2015) use administrative data through 2010 to show that switching increases when more plans are available and that people become more responsive to large increases in their plans' costs over time. Polyakova (2016) estimates a model of plan choice featuring consumer switching costs and adverse selection, with unobservably riskier beneficiaries choosing more comprehensive coverage. She uses the model to simulate the effect of closing of the coverage gap on adverse selection and finds that switching costs inhibit the capacity of the regulation to eliminate sorting on risk. The presence of switching costs and consumer choice frictions has been documented in other health insurance markets by Handel (2013) among others.

Abaluck and Gruber followed up their results with a study of how enrollees' choices varied across the first four years of Part D (Abaluck and Gruber (2013), hereafter AG13). AG13 finds that consumers continue to make significant mistakes and that there is no measurable learning over time in their national sample. These findings are consistent with the estimates from our New Jersey sample. In both sets of results consumers continue to be extremely sensitive to premiums.

The empirical specification in AG13 is more reduced form than our model, but the two papers estimate similar levels of welfare loss from inertia. AG13 controls for brand fixed effects but still finds a strong role for inertia, concluding "rather than reflecting persistent unobserved factors of chosen plans, [inertia] reflect[s] either adjustment costs or inattention." Our paper explores the inattention hypothesis in more detail. Our specification separately models consumer inattention, consumer valuation of the insurer's brand, and also persistent unobserved heterogeneity in preferences for a particular product. We continue to find an empirical role for inattention even in this more sophisticated choice environment. AG13 concludes that choice inconsistencies are "driven by changes on the supply side that are not offset both because of inertia and because non-inertial consumers still make inconsistent choices." By modeling the supply side, as we do in this paper, we can simulate how insurers will set premiums in response to changing consumer attention. This step has received very little attention in the Part D literature. Ketcham, Kuminoff and Powers (2016) predict the impact of various policies to reduce the impact of choice imperfections in Part D, for example by reducing the size of the choice set, but they assume plan premium adjustments are designed to maintain the net revenue per enrollee that they earned prior to the policy. This assumption does not capture the impact of consumer inattention on plan markups that is the focus of this paper.

There is a great deal of research in both psychology and economics literatures on consumer search and choice. Iyengar and Kamenica (2010) provide evidence that more options result in consumers making worse choices. In contrast to the prediction of a standard neoclassical model, more choice may not improve consumer welfare if it confuses consumers and leads them to seek simplicity. A large literature studies the importance of information processing costs to explain deviations from the choices expected of computationally unconstrained agents (see Sims (2003) and Reis (2006) for examples). Models of consumer search with learning, where each consumer uses the observed price of a single product to infer the prices likely to be set by other firms, also indicate that consumers may incur excessive costs by searching either too little or too much (e.g. Cabral and Fishman (2012)). Agarwal et al.(2009) show that the ability to make sound financial decisions declines with age. Because Part D enrollees are either disabled or elderly, and seem likely to experience cognitive costs of processing information, it may be reasonable to expect less optimal behavior from Part D consumers than from the population as a whole. These types of results
have led some critics of Part D to call for CMS to limit the number of plans available to seniors. On the other hand, using data on private-sector health insurance, Dafny et al. (2013) show that most employers offer very few choices to their employees and that employees would greatly value additional options. Moreover the results from Stocking et al. (2014) suggest that merely limiting the number of available plans would not be sufficient, as this would limit competition and lead to higher prices. Thus while the difficulty of choosing an insurance plan may lead consumers to choose expensive plans, it is not clear that limiting the range of options is the correct policy response.

Other authors have found evidence for inattention or lack of comparison shopping in complex and infrequent purchase decisions. In the auto insurance market, Honka (2014) finds that consumers face substantial switching costs, leading them to change plans infrequently, and that search costs lead those who switch to collect quotes from a relatively small number of insurers. Sallee (2014) uses the idea of rational inattention to explain why consumers under-weight energy efficiency when purchasing durable goods. Busse et al. (2010) find that consumers are inattentive and use a limited number of "cues" such as price promotions and mileage thresholds to evaluate auto purchases rather than actual prices and qualities. Luco (2016) and Illanes (2016) consider switching costs and firm competition in retirement investment choices. Hortaçsu et al (2015) examine consumer choices and switching behavior among retail electricity suppliers in Texas and conclude that high search frictions lead to a high market share for the incumbent supplier.

## 4 Dynamics and Pricing Responses

Farrell and Klemperer (2007) surveys the substantial theoretical literature considering the effects of consumer switching costs and other sources of inertia on firm competition and pricing. There are two sets of results: the first relates to price changes over time while the second considers steady state price levels. We discuss both here but focus on the latter in our estimation.

Papers such as Klemperer (1987) and Klemperer (1995) argue that, if firms cannot commit to future prices, consumer switching costs provide an incentive to "invest" and then "harvest". "Investing" is the process of building up market share through low prices in order to increase future profits, while "harvesting" is the process of reaping those profits by raising prices on an installed base. If the market begins in some particular period (as in 2006 for Medicare Part D),
and all consumers have zero switching costs in that period, one might expect to see low initial prices and then price increases over time as the incentive to harvest the installed base increases relative to the incentive to attract new market entrants. In the longer term, once the market reaches steady state, multiple possible pricing patterns could emerge. If firms cannot discriminate between cohorts of consumers (as in the Part D application), new firms may choose a single price that is attractive to new consumers, and thereby effectively specialize in selling to new customers. Firms with old locked-in customers will choose a single price that is higher, and effectively specialize in selling only to old consumers, leading to cycling (Farrell and Klemperer 2007). Alternatively, a firm may hold a "sale" in a particular period to attract new customers, while other firms pursue the same strategy in possibly different periods (Farrell and Shapiro 1988, Padilla 1995).

Several prior empirical studies have investigated the evidence for these dynamic pricing patterns in the presence of choice frictions. Ericson (2012) and Ericson (2014) analyze the insurer's problem in Medicare Part D and show that firms initially set relatively low prices for newly introduced plans, but then raise prices as plans age, consistent with the "invest then harvest" dynamic. Similar questions have been studied empirically in other markets, e.g. by Miller (2014) in the case of Medicare Advantage, and Cebul et al (2011) in commercial health insurance. Decarolis (2015) and Decarolis et al (2014) also study the supply side of the Part D market paying particular attention to the interaction of low-income subsidy and other enrollees.

We show below that premium trends in the data are consistent with the predictions of these models: premiums increase substantially between 2006-2009, and they increase particularly for the plans with the greatest incentive to harvest their installed base (those with the greatest number of enrollees and in years with the smallest number of new entrants aging into Part D). However we do not explicitly model price dynamics and our counterfactual analyses do not predict price patterns over time. Instead our simulations utilize the predictions of theoretical papers that analyze the impact of switching costs on price levels.

Beggs and Klemperer (1992) examine a no-sale equilibrium of an infinite-period duopoly model with consumer switching costs, in which in every period new consumers arrive and a fraction of old consumers leaves. Firms cannot discriminate between these groups of consumers. Consumers are forward-looking and firms make dynamic profit-maximizing pricing decisions. Under the assumption that switching costs are sufficiently large that old consumers are locked into the product they
have previously bought, there is a steady state Markov perfect equilibrium where firm prices are higher than in the model without switching costs. ${ }^{9}$ The intuition is that consumer lock-in gives the firm effective market power over some portion of consumers, which implies a price increase relative to the case with no switching costs. A similar intuition is provided in Radner (2003) which considers a model of "viscous demand", i.e. where demand adjusts slowly to changes in prices. This viscosity provides the firm with a kind of market power as it can raise its price above that of competitors without immediately losing all of its customers. In the homogenous product duopoly case there is a family of Nash equilibria where, once firms have achieved their target market shares and the total target market penetration, they both charge a price equal to consumers' willingness to pay (similar to a collusive outcome, with prices strictly greater than the equilibrium price without viscosity).

Farrell and Klemperer (2007) summarize these models, and other related papers, and conclude that there is a "strong presumption" that switching costs make markets less competitive, i.e. lead to increased equilibrium prices ${ }^{10}$ Moreover, our setting has an additional feature that reinforces this conclusion. We find that consumer inertia in the Part D setting is caused by inattention (or asymmetric search costs) rather than switching costs of the conventional type. Because incumbent enrollees in a particular plan will only rarely notice other plans' prices, the incentive for firms to reduce prices in order to attract consumers from competitors ("invest") is small compared to a model with conventional switching costs. The intuition in Beggs and Klemperer (1992) is therefore likely to hold in the Part D context: equilibrium prices are likely to be higher than in the case without consumer inattention $\sqrt{11}$

Our counterfactual analyses investigate the magnitude of the steady state price increases likely

[^4]to be generated by inattention given our estimated model. We abstract from firm dynamic choices. We are interested in the steady state pricing of a marketplace of plans selling to fully attentive consumers compared to one pricing to inattentive consumers. We argue, following the intuition in Beggs and Klemperer (1992) and related papers, that the existence of inattentive enrollees has the effect of reducing the average elasticity faced by insurers. The true elasticity of any consumer's demand does not change, but a fraction of consumers is inattentive and therefore behaves inelastically. This group does not switch plans in response to a price increase and therefore lowers the effective insurer elasticity of demand. We use this insight to generate a range of estimates of the premium effect of inattention.

## 5 Data

Our primary data source, provided by the Centers for Medicare and Medicaid Services (CMS), contains information on prescriptions and plan choices for Part D enrollees from New Jersey in 2006-9. Our data consist only of enrollees who did not have LIS status at any time and who were enrolled in stand-alone PDPs, rather than MA plans. Limiting the study to these enrollees reduced the population size from all New Jersey enrollees in PDP plans, of which there were between 527,000 and 545,000 from 2006 to 2009 , to between 300,000 and 325,000 over the same time period. We chose New Jersey partially because it had a very low percentage of MA-PD enrollees compared to the national average - $18-20 \%$ of NJ enrollees were in MA-PD plans compared to a national average of $32-38 \%$ - and because the total number of enrollees that met our criteria was not far above the CMS cutoff of 250,000 . From this subpopulation we drew a random sample in 2006 and a random sample of new enrollees in 2007-9 to bring the total sample up to 250,000 enrollees. We limited the sample to unsubsidized PDP enrollees in order to focus on a setting where consumers had to pay the listed price for every plan and where plans had relatively standardized quality (not the case for MA-PD plans which include medical as well as pharmacy benefits). Details of the data cleaning procedure are provided in the Appendix.

Appendix Table 2 shows the number of enrollees in our dataset each year, ranging from 127,000 in the first year of the program up to 160,000 in 2009. Just over $60 \%$ of enrollees are female, and about $90 \%$ are white. The breakdown by age group is also shown in the table. Over our sample
period the entering cohort, ages 65-69, grows in size from under $20 \%$ to almost $28 \%$ of the sample ${ }^{12}$ Because we have data from four years of the program we can study the behavior of enrollees who have different numbers of years' experience in Part D. About $10 \%$ of each cohort leaves the program each year, and between 27,000 and 30,000 new enrollees enter each year.

The average quality of PDP plans nationally, as measured by the proportion of the 117 mostcommonly prescribed chemical compounds covered by the plan, rises over time from $51 \%$ to $80 \%$. Appendix Table 3 summarizes the variation in this measure of quality across plans and over time. When weighted by enrollment we see that consumers are slightly more likely to choose plans that include more drugs: the enrollment-weighted average coverage begins at $59 \%$ and rises to $82 \%$ by 2009. Our demand model accounts for this issue through consumers' expected out-of-pocket payments and through brand fixed effects and enhanced plan-year interactions ${ }^{13}$ Preferred pharmacy networks - which are not observed in our data-were not a significant factor during our time period. The Kaiser Family Foundation reports that only $6 \%$ of enrollees had a preferred pharmacy network in 2011, though they became popular shortly after that and expanded to $72 \%$ of enrollees by 2014 .

For each enrollee, we estimate counterfactual costs in each plan (after discarding very small plans) holding consumption constant. While Einav et al (2015) have shown that moral hazard affects an enrollee's drug consumption and, in addition, an enrollee might be elastic across therapeutic substitutes when she changes plans, dealing with these issues is beyond the scope of the current paper. We follow the existing literature in our calculation of counterfactual costs. Our methodology, described in detail in section 2 of the Appendix, combines elements of the techniques used in AG (2011) and Ketcham et al. (2012). First we asked a physician to classify drugs as either chronic (taken regularly over a prolonged period) or acute (all other). We assume that chronic drug consumption is perfectly predicted by the patient and calculate the total underlying drug cost for each enrollee of the observed chronic drug prescriptions. For acute drugs, as in AG (2011) we

[^5]assign each individual to a group of ex-ante "similar" individuals and assume that the consumer expects to incur a total per-month underlying drug cost equal to the median within her group. Following Ketcham et al. (2012), we then apply each plan's coverage terms (deductible, copayment or coinsurance rate on each tier, gap coverage) to each individual and use his or her predicted total (chronic plus acute) monthly drug costs to predict total out-of-pocket (OOP) spending given these terms. This procedure yields estimates which closely track those we observe in the data for chosen plans. While we expect there to be very little measurement error in the chronic OOP spending variable, as this is derived from observed utilization, there may be some measurement error in the acute OOP spending variable. Hence in much of the analysis we treat these variables separately.

## 6 The Behavior of Part D Enrollees

In this section we explore the implications of the data for consumers' plan choice behavior. Further details and analyses are provided in section 3 of the Appendix. Table 4 of that Appendix reports enrollee switching rates by demographic group in each of the observed open enrollment periods. From 2006-7 a total of $19 \%$ of enrollees switch plans; this increases to $24 \%$ in 2007-8 but falls to $8 \%$ in 2008-9. $\sqrt{14]}$ In every year, women and non-whites are more likely to switch plans than other enrollees. The probability of switching increases monotonically with age. We create a group of those under-65 but eligible for Medicare due to disability. This group is similar in switching behavior to the $85+$ group. The switching probability also decreases monotonically with income $\sqrt{15}$.

We define the gap in payment as the expected OOP payment (including premium) in the chosen plan less the minimum expected OOP payment in any other plan in the choice set. We refer to this payment gap as "overspending" or gap spending. We note that, if consumers have preferences for non-price characteristics, these may lead them to choose a plan other than the cheapest available; such a choice would not be an "error" and therefore the term we use in the paper is "overspending". Table 1 summarizes the level of overspending by year in our sample $e^{16}$,

In 2006, the first year of the program, the average amount paid above the minimum expected

[^6]OOP payment available to the enrollee, including premium, was $\$ 425.37$, or $37 \%$ of the OOP payments. The percent and dollar amounts both fell in 2007 but then increased in both 2008 and 2009 , to a level of $\$ 436.96$ or $36 \%$ of total spending in the final year of our sample. Thus high spending is not declining over time in our sample. The data also indicate that part of the spending gap results from enrollees opting not to switch plans. Appendix Table 5 demonstrates that the spending gap is lower for consumers who have just switched plans, while it increases over time for non-switchers. Appendix Table 6 shows that by 2009, over a quarter of switchers spent less than $110 \%$ of the cost of their estimated lowest-cost plan, while only $4 \%$ of those not switching achieved this.

One potential explanation for this behavior, which has been explored in numerous papers in this and other settings, is that consumers face switching costs which lead to inertia. If switching costs were important, the consumers choosing to switch would be those for whom the value of switching was high enough to compensate them for these costs. Our data appear consistent with this idea. On average over all years and plans, switchers would overspend relative to the minimum-cost plan by $\$ 524$ if they remained in their current plan, while the figure for non-switchers is $\$ 338$ on average ${ }^{17}$ We decompose this difference in next year's overspending between switchers (if they remained in the current plan) and non-switchers, for each year 2006-2008, into five categories: overspending in the current year, the increase in the current plan's premium and in its predicted out-of-pocket cost (TrOOP) relative to the current year, and the reduction in the lowest-cost plan's premium and in its predicted TrOOP relative to the current year 118 , We report this decomposition, by base year, in Table 2, where a positive number indicates a larger contribution towards overspending for switchers than for non-switchers. The decomposition is illuminating. While the proportions differ over time, in two out of three years over $55 \%$ of the difference between switchers' and nonswitchers' overspending if they remain in the current plan comes from changes in their current plan's premium ${ }^{19}$ In other words, a key distinguishing feature of switchers is not just that their value of switching plans is high, but that they also receive a signal of this fact in the form of a large increase in their current plan's premium.

[^7]Given these findings, we propose a slightly different explanation for the infrequent switching observed in the data. Rather than facing switching costs, consumers may be inattentive and in the absence of highly visible "prompts" may simply roll-over their current plan choice. We argue in section 4 of the Appendix that this behavior can be generated by a model where consumers have a cost of obtaining and processing information regarding alternative plan options and choose to incur this cost only when prompted by "cues" or "shocks" that are freely observed.

We investigate this hypothesis by considering three shocks to the consumer's own characteristics that could prompt her to incur the costs of search: two types of bad news concerning her current plan's characteristics for next year (the plan's premium will rise or coverage will fall noticeably) and an unusually high OOP payment driven by a health shock. We define a shock to premiums in the enrollee's current plan $\left(v_{p}\right)$ as a premium increase of more than the weighted median increase in the relevant year. A coverage shock $\left(v_{c}\right)$ is defined as the plan dropping coverage in the coverage gap or moving from the defined standard benefit to a different (tiered) system in the Pre-ICL phase. An enrollee is defined as having an acute shock $\left(v_{h}\right)$ when she is in the top quintile of total drug cost as well as the top decile of either percent spending on acute drugs or deviation between predicted and observed spending. The distribution of these shocks in the population and their correlation with the decision to switch plans are shown in Table $3{ }^{20}$ These three shocks appear to explain switching behavior well. Those who receive no shocks switch very infrequently, only $4 \%$ of the time, while those who receive multiple shocks are much more likely to switch plans ${ }^{21}$. Almost all switchers ( $87 \%$ ) receive some shock in the year of the switch.

We present further evidence in support of consumer inattention in the Appendix. In particular, Appendix Table 7 sets out probit regressions of decision to switch plans on own-plan, low-cost plan and personal characteristics. The estimates suggest that consumers' switching probabilities increase when their own plans' premiums and OOP costs rise, but we find no evidence that consumers respond to changes in premiums and costs for the lowest-cost plan available, the lowest-cost plan within-brand, or the average of the five lowest-cost plans.

[^8]
## Consumer Demand Model

We specify a simple two-stage model of consumer decision-making with inattention. We assume that each consumer $i$, once enrolled in a plan, ignores the choice problem until hit by a shock to the OOP costs of her current plan or to her health. We consider the same three shocks $v_{p}, v_{c}, v_{h}$ defined above; these are assumed to have additively separable effects on her decision to re-optimize her plan choice. Additionally, the consumer could simply receive a random shock that causes awareness, for example from a younger relative visiting the consumer and reviewing her plan choices. We label this shock $v_{e}$. The sum of these shocks creates a composite shock received by consumer $i$ at time $t$ :

$$
\begin{equation*}
v_{i, t}=v_{i, p, t} \beta_{1}+v_{i, c, t} \beta_{2}+v_{i, h, t} \beta_{3}+v_{i, e, t} \tag{1}
\end{equation*}
$$

where the weights $\beta$ allow the different shocks to have different effects on the propensity to search (for example shocks to premiums may increase the likelihood of switching more than other shocks).

When the composite shock $v_{i, t}$ is large enough, i.e. when:

$$
\begin{equation*}
v_{i, t} \geq \tilde{v}_{i, t} \tag{2}
\end{equation*}
$$

then the consumer becomes aware and decides to re-optimize her plan election. Here $\tilde{v}_{i, t}$ is a function of consumer demographics related to health status and sensitivity to changes in plan characteristics: age groups, income quartiles, gender and race. We also include year fixed effects in $\tilde{v}_{i, t}$ to account for differences in the environment (e.g. advertising, phyarmacy and government outreach) across our three different enrollment periods.

The second stage of the model examines how consumers who have decided to re-optimize choose whether to switch and to which plans. We assume that, once aware, consumer $i$ makes a choice from the full choice set (including her current plan) based on the following utility from choosing plan $j$ in year $t$ :

$$
\begin{align*}
u_{i, j, t} & =\operatorname{Tr} \hat{O O P} P_{i, j, t} \beta_{1}+\operatorname{Premium}_{j, t}\left[\beta_{2,1}+v_{i, p, t} \beta_{2,2}\right]+\operatorname{Ded}_{j, t} \beta_{3,1} \\
& +\operatorname{Gap}_{j, t}\left[\beta_{4,1}+v_{i, c, t} \beta_{4,2}+v_{i, h, t} \beta_{4,3}\right]+X_{j, t} \beta_{5, i}+\epsilon_{i, j, t} \\
& =\delta_{i, j, t}+\epsilon_{i, j, t} \tag{3}
\end{align*}
$$

where expected chronic OOP spending excluding premium $\left(\operatorname{Tr} \hat{O} O P_{i, j, t}\right)$ is calculated using the method described above, Premium $_{j, t}$ and $D e d_{j, t}$ are annual premiums and deductibles and $G a p_{j, t}$ is an indicator for any coverage in the gap. $X_{j, t}$ are non-price plan characteristics including brand fixed effects (defined at the carrier rather than the plan level) and an indicator for enhanced plans interacted with year fixed effects, and $\epsilon_{i, j, t}$ is an IID extreme value type 1 error term (assumed to be independent of $\left.v_{i, e, t}\right)$. We allow consumers prompted to search by shocks to premiums to place additional weight on premiums. Consumers experiencing shocks to coverage, or acute shocks, are permitted to place additional weight on the plan offering gap coverage.

We model persistent unobserved preference heterogeneity by including normally-distributed random coefficients $\beta_{5, i}$ on fixed effects for the three dominant brands, which together have over $80 \%$ market share in 2006, and on the enhanced plan fixed effect. The model therefore allows choice persistence (such as a lack of switching away from a particular plan even when other plans reduce their premiums) to be caused either by heterogeneous preferences (some consumers have a very strong valuation for this brand that makes it worthwhile to remain enrolled even at a high relative price) or by inattention (consumers who are not affected by any of the previously-defined shocks are unaware of other plan premium reductions).

The model is estimated using a random coefficients simulated maximum likelihood approach similar to that summarized in Train (2009). The likelihood function for each enrollee is predicted for a sequence of choices from entry into the Part D program until the end of our data panel. A full description of the empirical model is provided in the Appendix, where we also present estimates of the demand parameters. In all specifications, consistent with a model of intattention, the estimates indicate that consumers are significantly more likely to switch plans after receiving premium or coverage shocks or having an acute shock to their health. We now turn to the emphasis of the paper, an analysis of firm behavior in the Part D marketplace.

## 7 The Supply Side of the Part D Market

## The New Jersey Part D Market

We begin with an overview of the supply side of the Part D market using a dataset of Part D plans generously provided by Francesco Decarolis (Decarolis (2015)) that comprises CMS files on
plans, ownership, enrollment, premiums, formularies, and other characteristics. It covers all plans in all regions of the US for the years 2006-2012 ${ }^{22}$ We focus on stand alone Part D PDPs in New Jersey, as these are the plans which serve the consumers modeled in the previous section.

There were 44 PDP plans active in New Jersey in 2006, the first year of the Part D program; this is in line with an average of 42.2 plans per region nationwide. The New Jersey market is quite highly concentrated in every year of our data: measured in terms of enrollees, the 4 -firm concentration ratio begins at 0.862 , declines to .617 in 2008 and rises again to .753 by 2012. Herfindahl indices show the same pattern. Our data agreement does not allow us to provide names for the large plans in our data. However, a table containing publicly available CMS information on the names and market shares of the five largest PDP plans in New Jersey in 2006, together with their brands, is provided in Appendix Table 13. There was little change in the rankings of these top five plans over the period of our data $\sqrt{23}$,

There was some plan entry in New Jersey in the first several years of the program but subsequent entry was limited. A total of 19 plans entered in 2007, joining 36 continuing from 2006, and 9 others entered in 2008, but from 2009 to 2012 no more than 3 plans entered in any year. After 2008 plan attrition reduced the number of active firms in every year from 57 down to 30 by 2012. Enhanced plans proliferated in the first few years of the program, going from 17 plans with a combined $12 \%$ market share in 2006 to 27 plans with a combined $31 \%$ market share in 2009. This coincided with a near-continuous shift away from Defined Standard Benefit plans; by 2012, only 3 such plans remained in the market, down from 8 in 2007. These statistics, presented in Table 4, suggest an oligopolistic market characterized by increasing product differentiation and increasing concentration.

## Insurer Pricing Strategies

We now consider the effect of consumer inattention, coupled with product differentiation and imperfect competition, on insurer pricing strategies in the Part D marketplace. We assume, as is traditional in industrial organization research, that insurers have rational expectations and are able to study the market in advance and choose an optimal strategy. We focus on the insurer's choice

[^9]of premium. This is partly because the premium is the most important characteristic for consumer choice. It is also the metric CMS uses to approve plans and calculate each region's benchmark. Other aspects of the plan's strategy such as the design of the formulary (which as noted is quite tightly regulated) or gap coverage options are important areas for research (see for example Carey (2016), Einav et al (2016) and Lavetti and Simon (2016)) but are beyond the scope of the current paper.

One would expect a profit-maximizing insurer to set its premiums in a way that took advantage of consumer choice frictions. In this section we show that the patterns in the data are consistent with this intuition. Consider first price dispersion. Varian (1980) features search in an environment of a homogeneous product, multiple sellers, and heterogeneous consumers. In this model, consumers do not engage in sequential search but rather "become informed" (perhaps by paying a cost) and at that point know all prices. This model fits the situation where a consumer who has experienced a shock decides to re-optimize her plan choice, enters her ZIP code and medications in the Part D website, and then has access to all firms and prices. The equilibrium symmetric outcome of Varian's model is price dispersion, which we certainly see in the Part D marketplace. In particular, Defined Standard Benefit plans are so tightly regulated as to represent a nearly homogeneous product. Each plan offers exactly the same financial tariff and any given medicine is exactly the same in each plan. The plans differ by formulary, customer service, and brand. Different formularies will create differences in expected costs across individuals, but formularies are regulated by CMS to ensure that every therapeutic category has sufficient coverage and utilization management tools are appropriate - so the average value of each plan will be similar. Nevertheless, Table 14 in the Appendix shows that price dispersion persists among Defined Standard Benefit plans. Though the difference between the minimum and maximum premium is falling over time, there is still considerable variation in the cost of this close-to-homogeneous product by 2012.

As discussed in Section 4, consumer inertia is likely to have the effect of increasing equilbrium price levels and creating an upward slope to prices. The upward trend may not be a steady-state phenomenon; it occurs because the entire market begins in 2006. Thus every plan faces only elastic choosers in that year and no locked in base. Table 5 shows that, consistent with these predictions, premiums increase on average almost every year from 2007-12. The average annual premium increase for basic plans (weighted by enrollment) is small, less than $\$ 6$ per month in every
year. Premiums for enhanced plans increase more quickly; in 2008, the weighted-average premium increase for enhanced plans is over $\$ 14$ per month, and in 2011 and 2012 smaller enhanced plans post large premium increases. The second panel of Table 5 flags plans that raise premiums by more than $\$ 10$. For three years from 2008 to 2010, at least a third of enrollees in enhanced plans face large premium shocks, although the rate is lower in other years.

We can also use the intuition from the theory to predict differences in premium growth across insurers. First, the change in profit for a given change in price is a function of both the intensive margin (profit per enrollee) and the extensive margin (number of enrollees). Because larger firms have a larger intensive margin, we should expect large firms to raise prices more than smaller firms all else equal. Second, we should expect slower premium growth when the number of consumers purchasing for the first time is high relative to the size of the installed base. Thus premiums should rise more slowly in years with high attrition (e.g. high death rates) or large cohorts aging into the Part D program ${ }^{24}$ We estimate regressions of annual premium increases on lagged market shares, growth rates, and other plan variables that might affect costs for all PDP plans in the national dataset.

Table 6 reports the results of the main specification. When we control for region and carrier fixed effects and coverage variables that may affect costs, lagged market shares significantly predict future increases in premiums, providing evidence in support of the first hypothesis. The estimates also indicate that the growth rate of enrollment in the region, which we treat as a proxy for new Part D enrollment, is negatively associated with price increases. This result provides evidence for the second hypothesis, that price increases should be small when there are relatively more unattached consumers to compete for. Taken together, the results of these regressions provide evidence consistent with the theory relating to price trends.

A further issue is that firms can sponsor more than one plan to offer more than one price. The work of Ericson (2012) and Decarolis (2015) leads us to investigate whether there is evidence of segmentation of consumers and price discrimination. In particular, the entry of basic "sister" plans may allow an existing plan to convert to enhanced status and raise its premium. The low-priced sister plan could enable the insurer to attract some enrollees who are auto assigned, or actively

[^10]switch, to a low-priced plan. If carriers engage in this kind of consumer segmentation and "cycling", we should see higher premium growth of an existing plan when a new plan is added to the carrier's portfolio. The results of specifications including indicators for "sister" plan entry are provided in Appendix Table 15. We consider the impact of adding any "sister" plan and also the effect of adding a low-cost option: a plan whose premium is the lowest offered by the relevant carrier in the market. In both specifications, the relevant coefficient is negative and significant, implying that on average plan premiums actually fall when a sister plan is introduced. These estimates suggest that, in contrast to Ericson (2012) and Decarolis (2015), in our sample premiums do not increase more than average when the carrier adds a new plan to the portfolio. We will not model this cycling behavior in the simulations below.

## Insurer Cost Estimates

Our next step is to use accounting data (our claims data from New Jersey) to estimate each plan's average cost per enrollee. These costs will be used as an input to the counterfactual premium simulations in the following section.

The claims data indicate the gross drug cost for every claim, including the drug ingredient cost plus the dispensing fee and sales tax paid to the pharmacy, but not accounting for manufacturer rebates or plan administrative costs. For each branded drug we find the average gross drug cost of a thirty-day supply across all plans and all encounters in the relevant year and apply a $20 \%$ rebate to that average cost. For generic drugs we assume a $\$ 4$ cost per 30 day supply for all plans ${ }^{25}$. We use these figures, and the observed drug utilization for each enrollee, to predict an average drug cost net of rebates per enrollee per year. Our methodology also accounts for the fact that, as part of its risk-adjustment strategy, the government covers $80 \%$ of all drug costs in the catastrophic phase so that the plan pays at most $20 \%$ of these costs ${ }^{26}$ We reduce the effect of outliers by winsorizing the estimated per-person costs at the $2.5 \%$ level (i.e. replacing the top and bottom $2.5 \%$ with the $2.5^{\text {th }}$ and $97.5^{\text {th }}$ percentile, respectively). We then compute the average per-person drug cost of the

[^11]plan's beneficiaries.
We expect these cost estimates to be fairly accurate for several reasons. The cost of generics and average branded discounts are unlikely to vary across plans as they might in a less regulated market. Because formularies in Part D are highly regulated (e.g. the protected classes must contain substantially all drugs in the class and other classes must have a certain number of drugs covered) and may not be designed to drive away sick enrollees, plans cannot differ substantially in the "tightness" of their formularies - and this tightness is what determines elasticity and therefore the size of a brand rebate (Duggan and Scott Morton, 2010). Furthermore, we know exactly which drugs, and how many units of each, were dispensed by each plan.

Finally we need to account for plan administrative costs. Sullivan (2013) notes that the National Health Expenditure Accounts (NHEA) includes the administrative costs of Medicare Advantage plans and Part D plans in its report of total Medicare administrative costs. We use this fact, and data from the NHEA for 2006-2010, to back out administrative expenses of $14-16 \%$ of total costs - or $16-19 \%$ of non-administrative costs - for Parts C and D combined. We therefore inflate the estimated average plan-level drug cost per enrollee per year by $120 \%$ to account for administrative costs. Additional details on the construction of the cost estimates is provided in section 5 of the Appendix.

The resulting plan costs per enrollee are summarized in Table 7. We report weighted averages and standard deviations of both the total cost per enrollee and the estimated cost net of enrollee out-of-pocket payment: ${ }^{27}$. The latter will be the cost variable used as an input into the premiumsetting simulations below. Finally we report for comparison the weighted average observed bid and observed premium separately for each year of our data. Observed bids are about $\$ 10$ lower than predicted costs net of TrOOP on average in 2006, the first year of the program. Observed bids fall slightly in the second year, and this together with an increase in estimated costs implies a lower average markup. Bids increase much faster than predicted costs in the following two years.

The plan markup does not equal the bid less the cost and for this reason we do not report a markup estimate based on these data. Plan revenues also include an additional premium amount for enhanced plans plus reinsurance payments from CMS. The plan profit equation in Section 8 provides more details of these elements of revenue. For now we note that the estimates in Table

[^12]7 clearly indicate that plan margins did not converge towards zero over the first few years of the program.

## 8 Counterfactual Simulations

Previous studies have considered the effects of various interventions designed to ease the decisionmaking process at fixed prices. For example, in a randomized experiment, Kling et al. (2012) provide information to Part D enrollees regarding their best plan choice, and find that it increases the probability of switching by 11 percentage points. Abaluck and Gruber (2013) predict that if an intervention could make consumers fully informed and fully rational, they would choose plans that reduced their costs by about $27 \%$. However these papers do not account for plans repricing in response to changes in consumer behavior, potentially further lowering program costs. In this section we use the estimated demand model and our measure of firm costs per enrollee as inputs to counterfactual analyses. We calculate how insurer markups respond to consumer behavior.

We investigate the magnitude of the steady state price increases likely to be generated by inattention given our estimated model. Note first that while the firm pricing problem in the observed data is dynamic, the dynamics come from the opening of the market and from the forwardlooking choices of firms who anticipate future consumers will be "sticky" so that prices chosen in one period affect enrollment in future periods. We abstract away from these dynamic pricing issues in the simulation in order to compare steady states. We argue that the change in steady state outcomes is of most policy relevance for a program that is long-lived. We assume in our demand model that attentive consumers are not forward-looking or strategic; rather, they choose the plan they most prefer today based on today's characteristics. (This seems very likely given what we know about the sophistication of these consumers and their uncertainty about how the market will develop in the future.) This estimation therefore yields preference parameters that are valid representations of consumer behavior, regardless of the strategy the firms may be pursuing. We can then use these preference parameters combined with our cost data to generate a variety of different static equilibrium markups, corresponding to different levels of inattention and hence different premium elasticities, using a simple system of static first-order conditions. We consider only nonLIS enrollees and focus on the simple situation where consumer preferences are not affected by
shocks experienced in the previous year.
We focus on the premium markup for several reasons. First, the results of Abaluck and Gruber and others indicate that consumers choose poorly in this marketplace and are unable to properly weight attributes of a plan such as out of pocket costs and deductibles. Consumers often choose plans based largely on the premium. Our demand estimates are consistent with this finding, implying that removing inattention (without addressing other choice frictions) would affect consumer sensitivity to premiums much more than their response to out of pocket costs. That is, we focus on the plan characteristic that is most likely to respond to the removal of inattention. Further, basic plans are constrained to offer a tariff that is actuarially equivalent to that set out in the law, so they are financially fairly homogeneous to the average consumer except for the premium. While insurers may design the formulary, and hence out-of-pocket payments, of their plans (particularly enhanced plans) in a strategic way to influence enrollee choices and utilization, the plan's bid is the choice over which it has most discretion and the one that feeds directly into the premium calculation and therefore its competitiveness in the marketplace. We focus on this choice, leaving issues related to formulary design for future research ${ }^{28}$

We begin by predicting plans' optimal premiums in the simple scenario of full attention; details of our method are provided in the following subsection. The next step is to use the premium, coverage and acute health shocks observed in the data (generated by realized plan premium and coverage changes) to calculate the proportion of consumers that our model (equation (2)) predicts will be attentive in each year. For example, the shocks in the data imply that $37 \%$ of consumers will reoptimize in 2007, while $100 \%$ are assumed to optimize in 2006 . We assume that attentive consumers make choices to maximize the estimated utility equation (3) while inattentive consumers have a zero price coefficient in that equation. This provides a simple way to translate the "probability of attention" implied by the mix of attentive and inattentive consumers in the data into an expected premium sensitivity that is faced by insurers ${ }^{29}$ It is then straightforward to repeat the exercise of predicting equilibrium premiums using static first order conditions given the new (less negative) premium coefficient.

[^13]This method abstracts away from several complicating factors. First, as noted, our desired simulation does not require us to address dynamics at all. Secondly, we do not compare our simulated outcomes to data because the data contain in them the impact of the dynamics-which might lower the absolute level of markups in early years, for example - and therefore are not directly comparable to our predictions. Our objective is to provide an approximate magnitude of the impact of consumer inattention on the steady state markup. We therefore calculate a range of possible premium effects under different assumptions regarding the mix of attentive and inattentive consumers in the population. As we vary the proportion of consumers who are attentive, we vary the price elasticity of demand facing the insurer, and hence its incentive to choose a particular premium level. We assess the range of likely premium effects of inattention by reporting predicted consumer spending when the percent attentive varies between $20 \%$ and $80 \%$ of the population.

A second caveat is that we do not model each individual plan at the micro level to make the link between that plan's premium choice and the attentiveness of its own incumbent enrollees. That is, our analysis does not model the strategy of each plan to raise premiums and lose some (newly attentive) consumers. We instead assume a population-level probability of consumer attentiveness, and then calculate premiums that generate an equilibrium at the population level. Our preferred method uses an iterative algorithm to address the issue that the premiums chosen by particular plans may generate premium increases (and hence shocks) that affect the proportion of enrollees choosing to re-optimize, implying that assuming a fixed probability of attentiveness to which plans respond when choosing premiums may generate predictions that are internally inconsistent. Our iterative algorithm proceeds as follows. The predicted premium choices in iteration $k$ are used to generate predicted premium shocks and therefore a probability of attentiveness (from equation (2)) and new premium coefficient (in equation (3)). That premium coefficient is used to predict new premium choices in iteration $k+1$. We repeat until convergence, thereby ensuring that the population percent attentive is consistent with the proportion of plans generating premium shocks.

We note that some price changes over time are predicted in our simulations, despite their being a steady state exercise. We do not mean these to be interpreted as "dynamics." Rather, they are changes in static predictions that occur due to changing inputs, such as underlying plan costs, and to the fact that the proportion of enrollees new to Part D differs by year. For example, premiums are predicted to be low in 2006 in every simulation, as all consumers are new to the market in that
first year and therefore are assumed to be attentive.
We now discuss the possible sources of error in our approach. As noted above, we expect our approximation of costs to be fairly accurate. Any mismeasurement would in any case be likely to affect cost levels rather than the differences across our simulations. Second, our model does not account for the possibility that consumers may in fact be forward-looking, choosing plans with relatively high prices because they expect those plans to have lower prices in the future when they are inattentive. However, there is a large amount of research into the behavior of Part D consumers, none of which indicates that this kind of forward-looking planning is probable. Third, there might be a steady state that is a perpetual cycle (perhaps with entry and price changes, or LIS cycling as in Decarolis 2015) and not the static outcome we simulate. Our approach also abstracts away from other reasons why premiums might change over time, including insurer learning and low pricing in early years to attract enrollees with the goal of switching them to MA plans. While these dynamic effects are certainly possible, we showed in Section 7 that we found no evidence of premium cycling in response to sister plan entry in our sample. Further, we argue that short-term issues such as plan learning are of second-order importance for the steady state premium effect of inattention that is our focus.

An alternative approach to our counterfactuals would have been to simulate the dynamic path of premiums in the baseline model with inattention. However, predicting the equilibrium of a dynamic pricing game with many firms is difficult. Papers on the methodological frontier have either considered very simple markets with two firms and small numbers of consumer types (e.g. Dube et al (2010)) or made other simplifying assumptions, e.g. of a finite time horizon, or the simplification that markets are large enough that the random evolution of individual firms "averages out" and each firm can be assumed to respond to a long-run average industry state rather than the predicted current choices of its competitors (Weintraub et al (2008) and applications such as Miller (2014)). None of these assumptions seems reasonable in our setting. We argue that our simulations provide a reasonable first approximation to the substantial cost savings, for both consumers and the federal government, that could arise from policies to increase consumer attentiveness. We leave the specification and estimation of a dynamic premium-setting model as an important path for future research.

## Counterfactual Details

We simulate consumer and plan choices using the fixed sample of 40 New Jersey PDP plans that entered the market in 2006; we follow each plan through to its exit from the market ${ }^{[30}$ By limiting ourselves to these 40 plans we ensure that the reported numbers focus only on within-plan price and spending changes.

Recall that each insurer submits a bid for each plan. That bid determines the price consumers face (the amount over the base beneficiary premium). This institutional reality requires us to reframe the static price-setting game that is standard in the industrial organization literature as a game where insurers choose bids given a prediction of the implications for the premiums faced by consumers. Importantly, each basic plan must offer actuarially equivalent coverage if it does not follow the tariff set out by law. This means that for a statistical person, the mean of OOP charges must be the same in expectation for all basic plans, so plans cannot respond to increased consumer premium sensitivity by reducing premiums while increasing average OOP charges. Additionally, the subsidy for each enrollee is risk-adjusted depending on age, chronic conditions, LIS, and institutional status. While the risk-adjustment mechanism is potentially manipulable, risk-adjusted subsidies plus the high share of catastrophic costs paid by CMS ( $80 \%$ ) mean it will be difficult for firms to immediately determine whether particular enrollees are profitable or not, and the computation will be complex. We therefore abstract from selection issues as we model the behavior of insurers. We model insurers' choices of bids while holding the schedule of OOP charges fixed.

We write plan $j$ 's variable profit in year $t$ as:

$$
\begin{equation*}
\pi_{j, t}=\left(B_{j, t}+E_{j, t}-C_{j, t}\right) N_{j, t} \tag{4}
\end{equation*}
$$

where $B_{j, t}$ is the bid made to CMS reflecting the plan's average monthly revenue requirement per enrollee in a basic plan (including profit), $E_{j, t}$ is the additonal amount charged to enrollees in an enhanced plan (the "enhanced premium"; this is zero when $j$ is a basic plan), $C_{j, t}$ is the plan's cost per enrollee net of enrollee OOP payments and $N_{j, t}$ is its number of enrollees.

The premium charged to enrollees in a basic plan is the difference between the bid and the

[^14]proportion of the NAMBA that is subsidized by the government:
\[

$$
\begin{equation*}
\text { Premium }_{j, t}^{\text {Basic }}=B_{j, t}-\gamma_{t} \text { NAMBA } A_{t}=\left(1-\frac{\gamma_{t}}{J_{t}}\right) B_{j, t}-\frac{\gamma_{t}}{J_{t}} \Sigma_{k \neq j} B_{k, t} \tag{5}
\end{equation*}
$$

\]

where $\gamma_{t}$ is the proportion of the NAMBA that is paid by the government and $J_{t}$ is the number of Part D plans included in the average in year $t \cdot{ }^{31}$ This expression reflects the fact that, in the first two years of the program, the NAMBA was an unweighted national average of bids for all MA and PDP plans. From 2008 on, CMS phased in the implementation of a weighted average, where the weight was the plan's enrollment ${ }^{32}$

We take several steps to account for CMS's risk adjustment strategy. The government subsidy, which is written into law at $74.5 \%$ of the NAMBA, is split between a premium subsidy and reinsurance or risk adjustment payments. The latter include a commitment to pay $80 \%$ of the total cost of drugs above each enrollee's catastrophic threshold and payments to keep plans within symmetric risk corridors that limit their overall losses and profits. We adjust our measure of plan costs per enrollee to take account of the catastrophic drug subsidies as described in the previous section. We use the true proportion of the NAMBA that is paid by the government in every year (which is observed in our data, e.g. $66 \%$ in 2006) as an input to the premium calculation in equation (5). We assume that the remaining risk adjustment payments offset the effect of enrollee selection on plan costs, i.e. the cost per enrollee does not change with enrollees' plan choices in our simulations.

Under each counterfactual scenario we consider a single-stage consumer demand system. We use the estimated parameters of the utility equation described in Section 6 (the full specification, model 4 of Appendix Table 11) but set the coefficients on premium, coverage and acute health shocks to zero. The premium coefficient is adjusted as described above to approximate the effect of a particular mix of attentive and inattentive consumers on premium responsiveness. The resulting

[^15]utility equation can be written as:
\[

$$
\begin{align*}
u_{i, j, t} & =\operatorname{Tr} \hat{O} O P_{i, j, t} \beta_{1}+\operatorname{Premium}_{j, t} \beta_{2,1}+\operatorname{Ded}_{j, t} \beta_{3,1}+\operatorname{Gap}_{j, t} \beta_{4,1}+X_{j, t} \beta_{5, i}+\epsilon_{i, j, t} \\
& =\lambda_{i, j, t}\left(\beta_{5, i}\right)+\operatorname{Premium}_{j, t} \beta_{2,1}+\epsilon_{i, j, t} \\
& =\delta_{i, j, t}\left(\beta_{5, i}\right)+\epsilon_{i, j, t} \tag{6}
\end{align*}
$$
\]

where Premium $_{j, t}$ includes the enhanced premium where relevant and $\beta_{2,1}$ is adjusted across simulations. $\lambda_{i, j, t}($.$) includes all consumer and plan-specific variables in the estimated utility equation$ except the premium; it is a function of $\beta_{5, i}$, the random coefficients on the three dominant brands and the interactions between enhanced plan and year fixed effects. This utility equation can be used to predict plan enrollment $N_{j, t}$ under any set of plan characteristics:

$$
\begin{align*}
N_{j, t} & =\sum_{i=1}^{N_{t}} \int_{\beta_{5, i}} \frac{e^{\delta_{i, j, t}\left(\beta_{5, i}\right)}}{\sum_{k=1}^{J_{t}} e^{\delta_{i, k, t}\left(\beta_{5, i}\right)}} \partial F\left(\beta_{5, i}\right) \\
& =\sum_{i=1}^{N_{t}} \int_{\beta_{5, i}} \Lambda_{i, j, t}\left(\lambda_{i, j, t}\left(\beta_{5, i}\right), \lambda_{i,-j, t}\left(\beta_{5, i}\right), \text { Premium }_{j, t}, \text { Premium }_{-j, t}\right) \partial F\left(\beta_{5, i}\right) . \tag{7}
\end{align*}
$$

Here $\Lambda_{i, j, t}($.$) is the predicted probability that consumer i$ chooses plan $j$ in period $t$; it is a function of all plan characteristics including their premiums. We consider plans' optimal choices in the static bid-setting game. The first-order condition for plan profits with respect to the bid $B_{j, t}$ is:

$$
\begin{equation*}
\left(B_{j, t}+E_{j, t}-C_{j, t}\right) \frac{\partial N_{j, t}}{\partial B_{j, t}}+N_{j, t}=0 \tag{8}
\end{equation*}
$$

Calculating the derivative $\frac{\partial N_{j, t}}{\partial B_{j, t}}$ requires us to predict the effect of a change in the bid $B_{j, t}$ on the premium. We use the expression in equation (5) under the assumption that the NAMBA is an (unweighted) national average for MA-PD and PDP plans and that plans internalize their impact on the NAMBA, and therefore on the government subsidy, when choosing their bid\{ ${ }^{33}$. We predict

[^16]the resulting effect on enrollment using equation (7). The first order condition simplifies to:
\[

$$
\begin{aligned}
& N_{j, t}+\left(B_{j, t}+E_{j, t}-C_{j, t}\right)\left\{\Sigma_{i=1}^{N_{t}} \beta_{2,1}\left[\int_{\beta_{5, i}} \Lambda_{i, j, t}(.)\left(1-\Lambda_{i, j, t}(.)\right) \partial F\left(\beta_{5, i}\right)\right] \frac{J_{t}-\gamma_{t}}{J_{t}}\right. \\
&\left.+\Sigma_{k \neq j} \beta_{2,1}\left[\int_{\beta_{5, i}} \Lambda_{i, j, t}(.) \Lambda_{i, k, t}(.) \partial F\left(\beta_{5, i}\right)\right] \frac{\gamma_{t}}{J_{t}}\right\}=0
\end{aligned}
$$
\]

where we omit the arguments of $\Lambda_{i, j, t}($.$) for ease of exposition. All plans' bids enter this equation$ through $\Lambda_{i, j, t}($.$) as well as through B_{j, t}$. We solve this system of equations to obtain the implied new equilibrium for bids. Additional details of this derivation are provided in section 5 of the Appendix.

## Counterfactual Results

Tables 8-10 report our results. Table 8 sets out the cross-enrollee average premium costs and OOP spending (including premiums) predicted by our model with and without inattention. The first column shows the predictions under full attention. Column 2 ("Inattention (Using Observed Shocks)") shows the same simulated costs when the shocks observed in the data between 2006-2008 are used to predict the proportion of consumers who are attentive the following year (given equation (2)) and the premium coefficient in equation (6) is scaled down accordingly. The proportion attentive is reported in the column labeled " $\mathrm{P}($ att'n $)$ ". It equals 1 in 2006, the first year of the program; predicted spending with and without inattention are equal in that year. In the subsequent three years the percent attentive varies between 0.33-0.45. Premiums and OOP spending are lower under full attention in each of these years for two reasons. First, plans reduce their premium bids in response to the higher premium elasticity, generating a reduction in premiums charged. Second, enrollees place a higher (negative) weight on premiums in the utility equation, and hence choose lower-premium plans. These results indicate a large saving from the simulated change in elasticity due to attention: a total out-of-pocket cost saving (including premiums) of $\$ 1,154.20$ per enrollee over three years or $25.6 \%$ of total spending.

The third column of Table 8, labeled "Inattention (Iterative Algorithm)", contains our preferred specification under inattention. As described above we begin with the outcome under "Inattention (Using Observed Shocks)" and iterate, predicting the shocks in iteration $k$ using premiums generated in iteration $k-1$, and repeating until convergence. Thus the predicted premiums reported
in this column are consistent with the proportion of consumers assumed to be attentive (i.e. the proportion with a non-zero premium coefficient). The results change only slightly: the probability of attention is slightly higher than in column 2 , varying from 0.38-0.42 in the years 2007-9, and the corresponding consumer spending is slightly lower. Savings from a move to full attention are now $\$ 1,051.90$ or $23.9 \%$ of total spending.

Table 9 sets out additional robustness tests in the spirit of providing a range of estimates of the effect of consumer inattention. We report consumer spending under different assumed proportions of attentive and inattentive consumers in the population: we allow the proportion attentive to vary from 0.2 to 0.8 , in increments of 0.2 . The estimates are intuitive. The higher the proportion attentive, the higher the effective premium elasticity, and the lower is consumer spending on premiums, both because plans adjust their premiums strategically and because consumers increasingly prefer low-premium plans. The relationship between percent attentive and total consumer spending is not linear: the spending reductions fall with each incremental increase in percent attentive. This is unsurprising because the premium coefficient is one input into a non-linear choice model that determines plan market shares and hence both bids and consumer spending. However, it is clear that the higher the initial percent attentive, the lower the saving from removing inattention. The estimates range from a $43 \%$ saving if only $20 \%$ of consumers are initially attentive, to a $5 \%$ saving if the initial proportion is $80 \%$.

Table 10 reports the cross-plan unweighted average bids (the NAMBA) that generate the premiums reported in Table 8, with and without inattention. Because we assume that all consumers are attentive in 2006, the same average bid- $\$ 1027.40$ per enrollee per year - is predicted in both columns 1 and 2 of the table ("attentive" and "inattentive"). In later years, as expected, average bids are lower when all consumers are assumed to be attentive (column 1) than under our preferred iterative algorithm for inattention (column 2). For example, in 2007, the predicted NAMBA under full attention is $\$ 964.30$ per enrollee per year, while under inattention the corresponding figure is $\$ 97$ higher at $\$ 1,061.50$. The difference varies over years, with changes in plan costs and the observed enhanced premium, but it is greater than six percent of the "inattention" level in every year 2007-9 ${ }^{34}$ Finally, we note that the unweighted national average NAMBA observed in the

[^17]data for 2006 is $\$ 1,108$; it varies between $\$ 965$ and $\$ 1,110$ in the years 2007-9. While plan dynamic choices are likely to generate changes over time that we do not expect our simulations to match, the fact that the difference between observed and predicted NAMBA is never more than $9 \%$ of our simulated estimate is evidence of the accuracy of our cost measures ${ }^{35}$

If we are willing to assume that our New Jersey estimates can be extrapolated to the entire nation, we can use the predicted bids to calculate the implied government savings for enrolled consumers over the years 2007-9. These savings are substantial. Program cost savings result from the reduction in plan bids, of which the government pays a sizeable proportion. Applying the conservative assumption that reinsurance costs remain fixed so that the government saves a fraction of the difference in average bids equal to one minus the Base Beneficiary Percentage ( $\gamma_{t}$ in equation (5)), we find that government savings amount to between $\$ 45$ and $\$ 64$ per covered life per year in the years 2007-9. Assuming further that low-income subsidy payments are unaffected and multiplying this figure by the non-LIS PDP population in each year generates an estimate of the government's total savings from reduced bids. We predict savings of $\$ 1.3$ billion or $1 \%$ of the government's cost of this part of the program over the three years 2007-9 ${ }^{36}$ This is a conservative estimate: we use unweighted average bids, consistent with the use of unweighted averages to calculate the NAMBA in the first few years of the program, so our projections do not account for the impact on the weighted NAMBA of differential enrollee sorting into low-cost plans when bids change ${ }^{37}$ Clearly we have made multiple assumptions to arrive at these numbers. However, when combined with the theoretical results discussed in Section 4, our estimates are sufficient to provide clear evidence that removing inattention would lead to substantial savings both to the federal government and to consumers.

The CBO calculated that from 2007-10 the cost of the drug component of the basic benefit

[^18]increased by $2.8 \%$ per annum on average for Part D enrollees while administrative costs and profits rose at $6.7 \%$ (CBO report "Competition and the Cost of Medicare's Prescription Drug Program 2014"). Premiums increased from a weighted average of $\$ 25.93$ to $\$ 37.25$ from 2006 to 2010 according to the Kaiser Family Foundation (Hoadley (2015)). This is the environment we explore with our data and seek to explain as rational pricing in the face of consumer inattention. Interestingly, the environment changed significantly in the second five years of the program. From 2010 to 2014 the rate of generic penetration increased significantly and the introduction of new branded blockbuster drugs slowed. National pharmaceutical expenditure actually fell in nominal terms in 2012 and 2013 according to IMS data (Schumock et al (2014)). However, from 2010 to 2015 stand alone Part D premiums stayed approximately constant at between $\$ 37.02$ and $\$ 38.54$ (Hoadley (2015)). Because drug costs fell modestly in those years, it is not clear what happened to the margins of the insurers participating in Part D. Ideally, effective regulation should ensure that costs are reflected in prices. That is, falling drug costs should benefit consumers in the form of falling premiums if a program is delivering the competitive benefits society expects. The available evidence suggests that this did not happen, adding weight to our hypothesis that consumer inattention limits the effectiveness of competition in this market. It may be the case that the underlying cost environment has changed again recently, as several sources (e.g. the Express Scripts 2014 Drugs Trend Report) report significant increases in specialty drug spending for 2014. Further research into the impact of consumer choice in Part D on competition is clearly warranted.

## 9 Conclusions

In this paper we have developed a model of consumer choice in the Part D program and have analyzed how firms set prices in response to the presence or absence of consumer inattention. The data support a model where consumers face costs of processing information. This leads them to avoid making new choices, rolling over their plan selections from one year to the next unless shocked by a change to their current plan or their current health.

We provide evidence that firms' premium choices are responsive to consumers' search frictions. In particular, when consumers are attentive, firms are incentivized to lower their margins, resulting in lower premiums. Using our estimates of consumer behavior and a model of firm price-setting
we use a simple approach to approximate the steady state effects of consumer inattention on premiums charged and consumer spending. We predict a large price response to full consumer attention because, in that environment, an effective way for plans to attract customers is by lowering premiums. Our simulations indicate that the combination of the demand- and supply-side changes would reduce the amount consumers spend by $24 \%$. The natural plan response of increasing other components of the price, like the OOP cost schedule, is constrained by the quite tightly regulated standard benefit levels.

We do not consider price dynamics. We note that theory predicts an increasing path of prices, particularly in early years of the program, as plans respond to incentives to "invest" in new enrollees and then "harvest" their installed based; this implies that the price effects of inattention may be increasing over time. However there are also other, potentially offsetting effects, such as insurer learning about the Part D environment during the first few years of the program. Steady state equilibria could also involve plans cycling between high and low prices, particularly in situations where several plans are offered by a single insurer. Our simulations do not capture these effects, nor do they consider the impact of changes in the number of plans per insurer, or the number of insurance carriers, active in each market. All of these issues are potentially fruitful areas for future research. However our approach is sufficient to provide a feasible range of estimates of the price effects of inattention that demonstrates the empirical and policy relevance of the issue.

The role of plan re-pricing in response to more frequent and effective consumer search has not been analyzed to the best of our knowledge in the Medicare Part D economics literature to date. It is an important element in the evaluation of any policy that would help consumers choose better plans. In particular, while clearly the extrapolation of our New Jersey estimates to the national level should be interpreted with some caution, the implied government savings from consumer choice $\$ 1.3$ billion in the years 2007-9 - indicate how important well-designed insurance marketplaces can be. Indeed, without effective consumer choice that puts market pressure on insurers, a policy of privatizing the delivery of benefits can be very expensive. This cost of privatization should be taken into account by policy makers in light of our results.

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Table 1: Overspending Relative to the Minimum Cost Plan by Part D Cohort

|  | Full Sample |  |  | New Enrollees |  |  | 2006 Enrollees |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Count | \$ Error | \% Error | Count | \$ Error | \% Error | Count | \$ Error | \% Error |
|  |  | $\$ 425.37$ | 37.28 |  | $\$ 425.37$ | 37.28 |  | $\$ 425.37$ | 37.28 |
| $\mathbf{2 0 0 6}$ | 127,654 | $(\$ 369.50)$ | $(22.38)$ | 127,654 | $(\$ 369.49)$ | $(22.38)$ | 127,654 | $(\$ 369.49)$ | $(22.38)$ |
|  |  | $\$ 320.08$ | 29.61 |  | $\$ 299.03$ | 30.12 |  | $\$ 325.36$ | 29.48 |
| $\mathbf{2 0 0 7}$ | 141,897 | $(\$ 301.97)$ | $(18.59)$ | 28,460 | $(\$ 313.16)$ | $(19.25)$ | 113,437 | $(\$ 298.87)$ | $(18.41)$ |
|  |  | $\$ 378.72$ | 32.83 |  | $\$ 331.88$ | 30.74 |  | $\$ 387.50$ | 32.92 |
| $\mathbf{2 0 0 8}$ | 151,289 | $(\$ 348.80)$ | $(17.98)$ | 26,802 | $(\$ 346.83)$ | $(18.91)$ | 99,742 | $(\$ 346.24)$ | $(17.49)$ |
|  |  | $\$ 436.96$ | 36.01 |  | $\$ 371.78$ | 32.02 |  | $\$ 459.19$ | 37.01 |
| $\mathbf{2 0 0 9}$ | 159,906 | $(359.44)$ | $(16.49)$ | 31,275 | $(\$ 371.34)$ | $(18.44)$ | 84,258 | $(\$ 353.25)$ | $(15.61)$ |

Notes: Predicted spending above the minimum by year. "\%" is percent of enrollee's total OOP spending (including premium) in observed plan. Standard deviations in parentheses.

Table 2: Decomposition of Difference in Next-Year Overspending if Remain in Current Plan, Switchers vs. Non-Switchers

| Base | \% from Change in <br> Year <br> Current Plan Prem | \% from Change in <br> Current Plan TrOOP | \% from <br> Current Year | \% from Change in <br> Cheapest Plan Prem | \% from Change in <br> Cheapest Plan TrOOP |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathbf{2 0 0 6}$ | $29.35 \%$ | $-64.92 \%$ | $173.89 \%$ | $-16.77 \%$ | $-21.54 \%$ |
| $\mathbf{2 0 0 7}$ | $71.76 \%$ | $-0.62 \%$ | $-9.98 \%$ | $10.59 \%$ | $28.26 \%$ |
| $\mathbf{2 0 0 8}$ | $57.11 \%$ | $2.63 \%$ | $2.28 \%$ | $2.04 \%$ | $35.93 \%$ |

Notes: Decomposition of the difference between the change in overspending of switchers vs non-switchers if they remain in their current plan. This difference is broken into five components: the contributiong from the current year (defined as over-spending in current year relative to lowest-cost plan), the increase in current-plan premium and TrOOP, and the reduction in lowest-cost plan premium and TrOOP.
Table 3: Distribution of Shocks and Switching Likelihood

|  | Sample Distribution |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | No Acute Shock |  |  |  | Acute Shock |  |  |  |
|  | Neither | Premium Only | Coverage Only | Both | Neither | Premium Only | Coverage Only | Both |
| 2006 | 50,503 | 49,954 | 3,212 | 2,824 | 3,138 | 3,082 | 170 | 554 |
| 2007 | 68,647 | 47,806 | 499 | 0 | 3,488 | 4,008 | 39 | 0 |
| 2008 | 78,980 | 37,081 | 5,640 | 643 | 3,651 | 2,400 | 213 | 23 |
|  | Switching Likelihood |  |  |  |  |  |  |  |
|  | No Acute Shock |  |  |  | Acute Shock |  |  |  |
|  | Neither | Premium Only | Coverage Only | Both | Neither | Premium Only | Coverage Only | Both |
| 2006 | 3.42\% | 32.68\% | 7.85\% | 40.16\% | 8.29\% | 54.77\% | 9.41\% | 42.24\% |
| 2007 | 7.34\% | 46.16\% | 0.20\% | - | 15.77\% | 57.53\% | 0.00\% | -\% |
| 2008 | 1.72\% | 20.07\% | 14.52\% | 1.71\% | 2.63\% | 31.04\% | 13.62\% | 0.00\% |
| Overall | 4.10\% | 33.99\% | 11.46\% | 33.03\% | 8.82\% | 49.94\% | 10.66\% | 40.55\% |

Table 4: New Jersey Part D Market Summary Statistics

| Year | Num <br> Plans | Enrollmnt | CR-4 | HHI | Entering <br> Plans | Enhanced <br> Plans | Enhanced <br> Mkt Share | DSB <br> Plans | DSB <br> Mkt Share |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathbf{2 0 0 6}$ | 44 | 281,128 | 0.862 | 0.259 | 44 | 17 | $12.27 \%$ | 6 | $12.89 \%$ |
| $\mathbf{2 0 0 7}$ | 56 | 298,978 | 0.780 | 0.217 | 19 | 27 | $24.32 \%$ | 8 | $10.49 \%$ |
| $\mathbf{2 0 0 8}$ | 57 | 304,198 | 0.617 | 0.157 | 9 | 29 | $28.62 \%$ | 7 | $5.31 \%$ |
| $\mathbf{2 0 0 9}$ | 52 | 317,997 | 0.637 | 0.154 | 1 | 27 | $30.63 \%$ | 5 | $0.48 \%$ |
| $\mathbf{2 0 1 0}$ | 46 | 329,178 | 0.660 | 0.163 | 2 | 24 | $30.43 \%$ | 5 | $2.48 \%$ |
| $\mathbf{2 0 1 1}$ | 33 | 333,553 | 0.751 | 0.285 | 1 | 15 | $22.46 \%$ | 4 | $2.53 \%$ |
| $\mathbf{2 0 1 2}$ | 30 | 343,886 | 0.753 | 0.281 | 3 | 14 | $24.00 \%$ | 3 | $0.38 \%$ |

Notes: Summary statistics on New Jersey Part D plans. Source: aggregate CMS data, generously provided by Francesco Decarolis. Total number of plans includes enhanced, Defined Standard Benefit (DSB), and other standard plans not following DSB coverage terms exactly. The latter are not listed separately in the table.

Table 5: Average Premium Increase and \% of Plans with $\$ 10$ Premium Increase

|  | Premium Increase |  |  |  | $\geq$ \$10 Premium Increase |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Equal <br> Basic | Equal <br> Enhanced | Weighted <br> Basic | Weighted <br> Enhanced | Equal <br> Basic | Equal <br> Enhanced | Weighted <br> Basic | Weighted <br> Enhanced |
| $\mathbf{2 0 0 7}$ | $-\$ 2.94$ | $\$ 1.01$ | $-\$ 2.20$ | $\$ 7.20$ | $33.33 \%$ | $40.74 \%$ | $0.33 \%$ | $10.53 \%$ |
| $\mathbf{2 0 0 8}$ | $\$ 4.65$ | $\$ 11.50$ | $\$ 5.93$ | $\$ 14.45$ | $39.29 \%$ | $55.17 \%$ | $24.10 \%$ | $39.82 \%$ |
| $\mathbf{2 0 0 9}$ | $\$ 6.20$ | $\$ 7.12$ | $\$ 3.68$ | $\$ 4.39$ | $24.00 \%$ | $33.33 \%$ | $0.83 \%$ | $39.31 \%$ |
| $\mathbf{2 0 1 0}$ | $\$ 5.06$ | $\$ 1.77$ | $\$ 2.92$ | $\$ 5.44$ | $21.74 \%$ | $29.17 \%$ | $1.19 \%$ | $35.08 \%$ |
| $\mathbf{2 0 1 1}$ | $\$ 1.04$ | $\$ 14.33$ | $-\$ 3.09$ | $\$ 2.84$ | $11.11 \%$ | $73.33 \%$ | $6.50 \%$ | $24.48 \%$ |
| $\mathbf{2 0 1 2}$ | $-\$ 1.24$ | $\$ 6.52$ | $\$ 1.97$ | $\$ 2.02$ | $12.50 \%$ | $42.86 \%$ | $0.16 \%$ | $16.38 \%$ |

Notes: Summary of premium changes (\$ per enrollee per month) over time for New Jersey PDPs, by Year and Plan Type

Table 6: Estimated Coefficients from Regression on Annual Premium Increases (\$)

|  | Model 1 |  | Model 2 |  | Model 3 |  | Model 4 |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Coeff. | SE | Coeff. | SE | Coeff. | SE | Coeff. | SE |
| Lagged Premium | $-0.177^{* * *}$ | 0.008 | -0.165*** | 0.008 | $-0.177^{* * *}$ | 0.008 | -0.165** | 0.008 |
| Lagged \# Tier 1 Drugs | $0.040^{* * *}$ | 0.005 | 0.037** | 0.005 | 0.035** | 0.005 | $0.031^{* * *}$ | 0.005 |
| Lagged Deductible | $-0.009^{* * *}$ | 0.001 | $-0.008^{* * *}$ | 0.001 | $-0.009^{* * *}$ | 0.001 | $-0.007^{* * *}$ | 0.001 |
| Lagged Enhanced | 1.448*** | 0.334 | $1.617^{* * *}$ | 0.335 | $1.442^{* * *}$ | 0.333 | $1.623^{* * *}$ | 0.334 |
| Lagged Gap Coverage | $5.773^{* * *}$ | 0.395 | $5.552^{* * *}$ | 0.396 | 5.750*** | 0.394 | $5.505^{* * *}$ | 0.396 |
| Lagged Market Share | - | - | $6.227^{* * *}$ | 1.220 | - | - | $6.716^{* * *}$ | 1.228 |
| Enrollment Growth Rate | - | - | - | - | -3.288** | 1.148 | -4.011** | 1.154 |
| Brand FE? | Yes |  | Yes |  | Yes |  | Ye |  |
| Region FE? | Yes |  | Yes |  | Yes |  | Ye |  |
| N | 7,796 |  | 7,79 |  | 7,796 |  | 7,79 |  |
| $R^{2}$ | 0.274 |  | 0.27 |  | 0.274 |  | 0.27 |  |

Notes: Regression of premium increase (in \$) on previous-year plan characteristics (national data). Enrollment growth rate is rate of growth for region's Part D program. Lagged market share is for this plan.

Table 7: Bids and Estimated Plan Costs for New Jersey PDP Plans

|  | Observed Bid | Observed Premium | Predicted Cost | Pred. Cost net of TrOOP |
| :---: | :---: | :---: | :---: | :---: |
| $\mathbf{2 0 0 6}$ | $\$ 65.03(\$ 26.68)$ | $\$ 24.00(\$ 10.23)$ | $\$ 145.56(\$ 39.10)$ | $\$ 75.00(\$ 26.23)$ |
| $\mathbf{2 0 0 7}$ | $\$ 64.93(\$ 25.76)$ | $\$ 25.05(\$ 11.92)$ | $\$ 162.24(\$ 37.78)$ | $\$ 84.86(\$ 19.01)$ |
| $\mathbf{2 0 0 8}$ | $\$ 92.28(\$ 31.04)$ | $\$ 35.29(\$ 15.83)$ | $\$ 153.18(\$ 43.43)$ | $\$ 85.60(\$ 33.00)$ |
| $\mathbf{2 0 0 9}$ | $\$ 100.97(\$ 29.90)$ | $\$ 40.34(\$ 15.22)$ | $\$ 154.03(\$ 40.69)$ | $\$ 87.90(\$ 40.53)$ |

Notes: Summary of weighted average observed bids, observed premiums, predicted costs to the plan, and predicted costs net of enrollee out-of-pocket payments. All figures are per enrollee per month. Weighted standard deviations in parentheses; weighted by enrollment.

Table 8: Simulated Per-Person Spending With Premium Adjustments

|  | Full Attention |  |  | Inattention <br> (Using Observed Shocks) |  |  | Inattention <br> (Iterative Algorithm) |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Premium | OOP | Premium | OOP | P(att'n) | Premium | OOP | P(att'n) |  |
| $\mathbf{2 0 0 6}$ | $\$ 190.19$ | $\$ 1,111.90$ | $\$ 190.19$ | $\$ 1,111.90$ | 1 | $\$ 190.19$ | $\$ 1,111.90$ | 1 |  |
| $\mathbf{2 0 0 7}$ | $\$ 263.62$ | $\$ 1,149.00$ | $\$ 678.26$ | $\$ 1,545.80$ | 0.37 | $\$ 611.49$ | $\$ 1,480.30$ | 0.42 |  |
| $\mathbf{2 0 0 8}$ | $\$ 253.76$ | $\$ 1,075.00$ | $\$ 750.71$ | $\$ 1,545.40$ | 0.33 | $\$ 659.98$ | $\$ 1,457.20$ | 0.38 |  |
| $\mathbf{2 0 0 9}$ | $\$ 275.53$ | $\$ 1,135.40$ | $\$ 596.45$ | $\$ 1,422.40$ | 0.45 | $\$ 650.67$ | $\$ 1,473.80$ | 0.41 |  |
| Total '07-09 | $\$ 792.91$ | $\$ 3,359.40$ | $\$ 2,025.42$ | $\$ 4,513.60$ |  | $\$ 1,922.14$ | $\$ 4,411.30$ |  |  |
| Spending above <br> Full Attention |  |  |  | $\$ 1,154.20$ |  |  | $\$ 1,051.90$ |  |  |
| \% Difference |  |  |  |  | $25.6 \%$ |  |  |  |  |

Notes: Results of simulations allowing premiums to adjust to changes in consumer behavior. Predicted OOP costs are cross-enrollee averages per enrollee per year including premiums. "Full Attention" assumes all consumers make a new choice every year. "Inattention (Using Observed Shocks)" uses observed shocks to infer percent of attentive consumers and implied premium coefficient. "Inattention (Iterative Algorithm)" iterates to a point where predicted premium increases consistent with percent attentive consumers.

Table 9: Simulated Per-Person Spending, Robustness

|  | $\mathbf{P}($ att'n) $=\mathbf{0 . 2}$ |  | $\mathbf{P}($ att'n) $=\mathbf{0 . 4}$ |  | $\mathbf{P}$ P(att'n)=0.6 |  | P(att'n)=0.8 |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Premium | OOP | Premium | OOP | Premium | OOP | Premium | OOP) |
| $\mathbf{2 0 0 7}$ | $\$ 1,128.50$ | $\$ 1,991.00$ | $\$ 639.37$ | $\$ 1,507.60$ | $\$ 445.11$ | $\$ 1,318.30$ | $\$ 337.10$ | $\$ 1,215.90$ |
| $\mathbf{2 0 0 8}$ | $\$ 1,159.30$ | $\$ 1,947.60$ | $\$ 633.46$ | $\$ 1,431.50$ | $\$ 430.88$ | $\$ 1,237.80$ | $\$ 320.36$ | $\$ 1,134.90$ |
| $\mathbf{2 0 0 9}$ | $\$ 1,153.70$ | $\$ 1,964.50$ | $\$ 661.66$ | $\$ 1,484.30$ | $\$ 464.54$ | $\$ 1,299.60$ | $\$ 351.14$ | $\$ 1,198.90$ |
| Total '07-09 |  | $\$ 5,903.10$ |  | $\$ 4,423.40$ |  | $\$ 3,890.90$ |  | $\$ 3,549.70$ |
| Spending above <br> Full Attention |  | $\$ 2,543.70$ |  | $\$ 1,064.00$ |  | $\$ 496.30$ |  | $\$ 190.30$ |
| \% Difference |  | $43.1 \%$ |  | $24.1 \%$ |  | $12.9 \%$ |  | $5.4 \%$ |

Notes: Predicted OOP costs are cross-enrollee averages per enrollee per year including premiums. Premiums include both basic and enhanced premium. Each column assumes a different percent of consumers who are attentive, and hence a different premium coefficient in utility equation.

Table 10: Government Savings from Repricing Due to Full Attention

| Year | NAMBA: <br> Full Att'n | NAMBA: <br> Inattention | $\gamma_{\mathbf{t}}$ | Annual (\$) <br> Savings / Enr | Non-LIS <br> Enrollment | Savings <br> $(\$$ million) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathbf{2 0 0 6}$ | $\$ 1,027.40$ | $\$ 1,027.40$ | 0.65 |  |  |  |
| $\mathbf{2 0 0 7}$ | $\$ 964.30$ | $\$ 1,061.50$ | 0.66 | $\$ 64.15$ | $8,120,524$ | $\$ 521$ million |
| $\mathbf{2 0 0 8}$ | $\$ 971.90$ | $\$ 1,049.80$ | 0.65 | $\$ 50.88$ | $8,413,202$ | $\$ 428$ million |
| $\mathbf{2 0 0 9}$ | $\$ 1,001.20$ | $\$ 1,071.50$ | 0.64 | $\$ 44.99$ | $8,572,910$ | $\$ 386$ million |
| Total '07-09 |  |  |  |  |  | $\$ 1,335$ million |

Notes: Results of Program Cost Savings Calculation. Columns 1 and 2 are predicted unweighted national average bids, PDP and MA plans nationally, measured in $\$$ per year. We use the iterative algorithm corresponding to column 3 of Table 8 to simulate inattention. Per-enrollee average savings are the difference between the two average bids scaled by the proportion paid by the government. Non-LIS enrollment reported in national plan data generously provided by Francesco Decarolis. $\gamma_{t}$ is defined in Section 8.

## APPENDIX FOR ONLINE PUBLICATION

## 1 Sample Definition

The original sample consists of 249,999 Medicare Part D beneficiaries from the years 2006 to 2009. The panel is unbalanced, with some beneficiaries entering and others exiting throughout the sample, so the number of observations for each of the four years are, respectively, 209,827, 220,716, 226,501, and 227,753. We restrict the sample only to beneficiaries residing in New Jersey who, for any four consecutive months during the year, were enrolled in a Medicare PDP but were neither Medicaid-eligible nor on low income subsidy. We also exclude beneficiaries whose Medicare termination code or ZIP code is unobserved. We then discard data from any month in which a beneficiary is Medicaid-eligible, low-income subsidized, or either not Part D enrolled or not enrolled in a Medicare PDP (e.g. in an MA plan or employer-sponsored coverage). New Jersey sponsors a prescription-drug assistance program for the elderly, PAAD, which caps out-of-pocket (OOP) payments at either $\$ 5, \$ 6$ or $\$ 7$ (depending on the year and the drug type) so long as the beneficiary opts into the program and enrolls in an eligible low-cost plan. We infer the presence of this benefit, which is unobserved in the data yet severely restricts the set of possible plan choices, and exclude any beneficiaries enrolled in PAAD. We define a beneficiary as PAAD-enrolled if they enroll in a PAAD-eligible plan without gap coverage or deductible coverage and at least $95 \%$ of events that occur in the deductible or coverage gap phase with total cost greater than the PAAD maximum copay resulting in the beneficiary paying the PAAD copay. We restrict the number of plans to 64 large plans covering around $95 \%$ of the sample and exclude any beneficiary ever enrolled in a different plan. Finally, we also exclude any beneficiaries observed only in non-consecutive years, as these observations do not assist in identifying the determinants of switching plans. This yields a final sample of 214,191 unique beneficiaries with the observations for each of four years, respectively, as $127,654,141,897,151,289$, and 159,906 .

We supplement the data with several additional variables from outside sources. First, we map beneficiary ZIP codes to census tracts using ArcGIS. We then define the income and percent college educated of each ZIP code as the tract median income and percent with a bachelor's degree or higher from the 2000 Census. In cases where a ZIP code mapped to multiple census tracts, the
associated income and education levels were defined as unweighted averages across the tracts. We then convert these measures of income and education level into quartiles at the ZIP code level. Next, we obtain a list of commonly-prescribed drugs covering $92 \%$ of the events observed in our sample and classify these according to whether they are branded or generic and whether they are used for chronic or acute care. Of these, 464 distinct brand names for chronic drugs, representing 13.8 million of the 19.1 million events in our sample, are classified according to the condition they are most-commonly prescribed to treat. We then defined indicators for the 20 most common chronic conditions for which Medicare patients are prescribed medication based on whether the beneficiary was observed taking a drug to treat that condition. Finally, we generate estimated costs under a variety of counterfactual plan choices, a more detailed description of which is contained in the following section.

## 2 Out-of-Pocket Cost Calculation

We partition the set of prescribed drugs into 464 common chronic drugs and all others. We assume that all other drugs treat acute conditions. We define the total cost per month supply for each common chronic drug in each plan to be the sample average cost per month for drug events where the supply length is between 7 and 90 days.

We approximate acute drug costs using a different method. We classify individuals into one of 7,040 "severity" bins. Whites, who are over-represented in the sample, are classified on the basis of gender, four age groups ( $<65,65-75,75-85,>85$ ), income quartiles, deciles of days' supply of chronic drugs, ten plan indicators (the largest nine plans plus "all other") and an indicator for receiving medication for any of hypertension, high cholesterol, diabetes or Alzheimer's. Nonwhites are classified on the basis of the same criteria, excepting plan indicators, for which there are not enough observations. Within each of these 7,040 bins, per-month acute drug cost is estimated as the median per-month amount. We divide these estimated per-month acute shocks into a branded and generic amount based on the percent of acute drug spending on generic drugs each year and generate an estimated sequence of acute drug events with two drug events (one branded, one generic) on the 15 th of each month in which the beneficiary is observed in-sample. To this we add the observed sequence of chronic drug events and treat this as the estimated sequence of drug events.

We do not observe plan formularies; our next step is therefore to approximate the true formulary for each plan. In many cases, the tier on which a drug is categorized is observed for the plan, and when this is the case we use the observed tier. If the tier is unobserved (i.e. there are no instances in the data of a prescription written for a given drug in a given plan-year), we classify it as either a branded or generic drug based on the observed classification in other similar plans and fill in the tier accordingly. For generic drugs, we place the drug on the plan's generic-drug tier if such a tier exists. For branded drugs, if the drug is observed for a plan offered by the same carrier, we fill in the tier as the corresponding drug-type tier for that plan. If the drug is not observed for any plan in that contract, we assume the drug is not covered by the plan. These assumptions are based on consideration of the actual formularies used by 5 of the largest Part D providers, which share a common list of covered drugs for all plans sponsored by the provider and typically cover any generic drug but not all branded drugs. For simplicity we assume that the Pre-Initial Coverage Limit and Gap phases employ the same formulary structure, as they do for the few plans with Gap tiers, and we ignore the effect of specialty tiers as only one of the 464 most-commonly prescribed chronic drugs is a specialty treatment.

Finally, to generate counterfactual spending under each plan we step through the simulated sequence of drug events and generate counterfactual benefit phases and patient OOP payments according to the plan's stated cost structure, the estimated formulary, and cumulative spending for the year. Counterfactual OOP payments for each plan are estimated as the sum of OOP payments for the observed chronic drugs and simulated acute events for each beneficiary in each large plan every year. Note that, as in previous papers, our method assumes no moral hazard, and unlike Ketcham et al. (2012) we assume no elasticity with respect to plan prices for chronic drug consumption, in that patients take the same sequence of prescription drugs in every plan regardless of the costs they face. The plan-specific medians allow for some price elasticity for acute drugs for large plans. For simplicity we ignore the effect of prior authorization requirement, step therapy regimens and quantity restrictions.

The estimated payments, which represent the "True Out-of-Pocket Payments", are added to a premium payment for each month in which the beneficiary is enrolled in the plan to create a counterfactual "Total Payment" variable for each beneficiary in each plan. These numbers are scaled up to a 12 -month equivalent for each beneficiary enrolled for fewer than 12 months. The
minimum cost plan for each beneficiary is defined as the plan with lowest "Total Payment" in each year.

## 3 Analyzing the Empirical Behavior of Part D Enrollees

We investigate of the behavior of Part $D$ enrollees by considering the amount they pay in their chosen plan given the costs of the other plans that are available to them. We refer to the gap between what the consumer spent and the lowest cost plan she could have chosen as "overspending" or gap spending. Table 1 in the text shows overspending relative to the minimum cost plan by Part D cohort. These numbers indicate that there is variation across cohorts, particularly between new enrollees and those with experience of the program. New enrollees' spending gap was lower in 2008 and 2009 than that of continuing enrollees, reaching a level of $\$ 371.78$ or $32 \%$ in 2009. 2006 enrollees (those who first entered the program in 2006 and remained in it throughout our sample) had above-average gaps in every year relative to the full sample; their level of spending above the lowest cost plan in 2009 was $\$ 459.19$, or roughly the same percentage of total cost ( $37 \%$ ) as in 2006 despite their long exposure to the program.

Part of the spending gap shown by Part $D$ enrollees is a result of failing to choose a new plan each year. Column 1 of Appendix Table 5 shows that in every year, consistent with Ketcham et al. (2012), the spending gap is on average lower for consumers who have just switched plans. Moreover, the spending gap for the group switching decreases slightly over time, while that for non-switchers increases. Columns 2-5 of the same table show that switchers on average would have had a higher gap than non-switchers, and a larger increase in the spending gap year-on-year, if they had remained in the same plan. Appendix Table 6 considers the fraction of enrollees spending within $10 \%$ or $25 \%$ of their estimated lowest-cost plan and shows much the same pattern. By 2009, over a quarter of switchers spent less than $110 \%$ of their cheapest-plan cost, while only $4 \%$ of those not switching achieved this.

The disparity in overspending between switchers and non-switchers appears to be growing over time. By 2009, around 62,000 enrollees present in all four years, or just under half the original cohort (not adjusting for attrition) had never picked a new plan. While switchers continued to overspend even after switching plans, enrollees who had never switched overspent by more. By

2009 they spent on average about $40 \%$ more than they would in their lowest-cost plan; only $2 \%$ of them were within $10 \%$ of their lowest-cost plan. Overspending increases monotonically in years since last plan election. This suggests that the failure of consumers to switch plans is one important factor contributing to them spending well more than the lowest cost plan available.

Evidence for Inattention. We have shown that switchers on average reduce their spending relative to the minimum in the following year. The next key question is why people do not switch more frequently. If we conservatively define switching as the optimal choice whenever a consumer's current plan is expected to cost more than $125 \%$ of the cheapest plan's cost next year, then the optimal choice for about $83 \%$ of enrollees in 2008 was to switch plans. However, less than a tenth of that number actually switched.

Given these findings, we propose that consumers may be inattentive and in the absence of highly visible "prompts" may simply roll-over their current plan choice. We investigate whether the data are consistent with this intuition. Recall that spending above the minimum is a function of three variables: consumers' current plan characteristics, the characteristics of their lowest-cost plan, and their drug consumption. We consider whether the decision to switch plans places more weight on own-plan and personal characteristics, which are readily observable, than on optimal-plan characteristics, which require costly search.

We construct three simple indicators for "shocks" to expected spending that depend only ownplan and personal characteristics. We define a "premium shock" as an increase in own-plan premiums the following year of greater than the weighted median increase across all consumers (about $\$ 4$ in 2007, $\$ 7$ in 2008, and $\$ 4.50$ in 2009) ${ }^{38}$ Each year in the open enrollment period an existing enrollee receives a letter from his or her plan detailing changes in the coming year. To the extent the enrollee opens the letter and reads it, the premium increase becomes known and salient at a time when the enrollee can easily switch plans. A "coverage shock" is defined as occurring when either (a) the consumer's current plan drops coverage in the coverage gap or (b) the plan moves from the defined standard benefit pre-ICL (before hitting the coverage gap) to a tiered system in that region 39 Third, we define enrollees as receiving an "acute shock" if they are in the top

[^19]quintile of total spending and also the top decile for either percent spending on acute drugs or deviation between predicted and observed spending in the current year. This shock is meant to capture unanticipated short-term illness, which may prompt the consumer to scrutinize her choice of insurance while also serving as signal of high expected future spending ${ }^{40}$

Appendix Table 7 shows the results of probit regressions of decision to switch plans on own-plan, low-cost plan and personal characteristics. If consumers prefer low premiums and high coverage but are inattentive, we expect them to switch more frequently when their current plan raises premium or reduces coverage than when other low-cost plans reduce premium or increase coverage. If they switch in response to acute shocks we expect those with high OOP spending to switch. The estimates in Appendix Table 7 are consistent with this intuition. In all specifications enrollees with high OOP spending and those with high premiums and deductibles and without gap coverage switch more than other consumers. Model 1 indicates that consumers' switching probability increases when their own plan's premium rises or when their own plan removes gap coverage. Model 2 adds the equivalent variables for the average of the five lowest-cost plans and shows that, to the extent changes in other-plan characteristics affect switching at all, the correlations run in the "wrong" direction. In particular it seems that consumers are more likely to switch when low-cost plans increase their premiums. Changes in low-cost plans' gap coverage have no significant effect 41

Appendix Table 8 presents evidence that consumers who switch select plans with characteristics that vary depending on the shock that prompted the switch. Consumers who receive acute shocks, which we can think of as signals of future ill-health, tend to prefer higher coverage conditional on switching than those who do not. The same is true of those receiving coverage shocks. Consumers facing premium shocks tend to choose plans with lower premiums. This suggests that consumers treat shocks to their health status and plan characteristics not only as prompts to switch but also as "cues" to search for particular plan attributes, as in Busse et al. (2014).

[^20]Alternative Explanations. There is a significant insurance literature that examines the question of risk-aversion and whether consumers over-insure themselves because they have great distaste for risk. This might be an explanation of our initial findings, and those of other Part D papers. However, in our data we do not find evidence to support this theory - that high spending by nonswitchers is related to over-insurance, as would be the case if risk aversion was causing the observed overspending. Appendix Table 9 shows that the percentage of enrollees' total costs covered in the gap is much higher for switchers than for non-switchers, while premiums are on average lower for switchers. Thus higher coverage is chosen by people who overspend by less, rather than more, on average. In addition, this increased gap coverage does not come at the expense of reduced coverage in the pre-ICL phase (the main coverage phase), as the percent of covered costs isactually higher in this phase on average for switchers as well. Note that the coverage figures in Appendix Table 9 summarize the percent of costs covered for consumers enrolled in the relevant plan, not for the statistical average enrollee used for the CMS actuarial equivalence calculations.

We also run cross-sectional regressions of percent overspending, defined as the difference between the chosen and minimum cost plans divided by the chosen plan's cost, on plan and enrollee characteristics. The results are set out in Appendix Table 10. Having switched plans is negatively and significantly related to overspending, and whether or not we control for having switched plans, gap coverage is negatively related, and premiums and deductibles positively related to overspending conditional on observed OOP costs. Therefore we conclude that overspending is not on average associated with overinsurance in our data.

A second possible explanation for overspending is that it takes experience to learn how to shop in the Part D marketplace. Perhaps an enrollee's overspending falls over time as she learns. Table 1 in the text addresses this issue. 2006 enrollees - those who first entered the program in 2006 and remained in it throughout our sample - had higher overspending in every year than the average for the full sample; their overspending in 2009 was $\$ 459.19$, or roughly the same percentage of total cost ( $37 \%$ ) as in 2006 despite their long exposure to the program. This suggests that overspending is not declining with experience in Part D.

Appendix Table 8 also provides insight on whether the small number of consumers who switch despite not experiencing shocks are more sophisticated than those who switch due to highly visible prompts. In fact these consumers are less likely to choose a plan whose costs are within $25 \%$ of the
lowest available level than are consumers who switch in response to a shock. It may be appropriate to think of consumers who switch without being prompted by an observed shock as responding to some unobserved random shock to the likelihood of switching along the lines of a friend or relative advising them to do so. We account for this in the estimated demand model. We also consider whether consumers who switch plans on a regular basis are more sophisticated than other consumers. A small number of consumers (less than $4 \%$ of the sample) choose a different plan in every year of our data. They are enrolled in lower-cost plans on average in 2009 than the population as a whole in 2006. However, rather than being particularly sophisticated dynamic optimizers, it seems that these consumers are simply unlucky in terms of the number of shocks they receive over time. Virtually the entire segment receives a premium shock each year, and these consumers are also three times as likely as other consumers to receive acute shocks.

## 4 A Model of Consumer Behavior

### 4.1 A Framework for Consumer Inattention

We outline a model under which the consumer inattention we observe in the data is caused by costs of processing information. Our framework draws from the models of rational inattention developed by Sims (2003) and Reis (2006) and from the models of consumer search and learning of Cabral and Fishman (2012) and Honka (2014) among others.

Consider a model with the following assumptions. A risk-neutral, myopic consumer $i$ may choose from a set of plan options $j=1, \ldots, J$. The consumer has a limited capacity for processing information: acquiring and processing the data needed to understand the characteristics of all plans in the choice set has a cost $\tilde{v}_{i, t}=f\left(Z_{i, t}\right)$, where $Z_{i, t}$ are consumer characteristics such as age and sickness level which could affect, for example, the likelihood of a younger family member helping with the plan choice process. The consumer's utility from plan $j$ if she was fully informed of its characteristics in period $t$ would be

$$
\begin{equation*}
u_{i, j, t}=\beta X_{i, j, t}+\gamma c_{i, j, t}+\epsilon_{i, j, t} \tag{9}
\end{equation*}
$$

where $c_{i, j, t}$ is the OOP cost paid by the consumer, $X_{i, j, t}$ are other plan characteristics relevant to
the choice and $\epsilon_{i, j, t}$ is an i.i.d. shock known to the consumer but not to the researcher ${ }^{42}$.
At the end of year $t$ each consumer observes her own plan $k$ 's cost in the following year; this is sent to her in the mail. (We normalize any processing cost involved in reading the letter to zero and consider as "costs" activities more difficult than that.) After receiving this mailing she chooses whether to incur cost $\tilde{v}_{i, t}$ in order to observe all plans' terms and choose the plan that maximizes her utility, or whether to incur no cost and remain in plan $k$ the following year. Under these assumptions the consumer will choose to pay the cost $\tilde{v}_{i, t}$ provided the expected benefit is greater than the cost:

$$
\begin{equation*}
E\left[\max _{j=1 \ldots J}\left(u_{i, j, t+1}\right) \mid \bar{X}_{i, k, t+1}\right]-u_{i, k, t+1}>\tilde{v}_{i, t}=f\left(Z_{i, t}\right) \tag{10}
\end{equation*}
$$

where $\bar{X}_{i, k, t+1}$ are the characteristics $\left(X_{i, k, t+1}, c_{i, k, t+1}, \epsilon_{i, k, t+1}\right)$ of plan $k$ in period $t+1$ and the expectation is taken over the characterstic she searches for: cost $c_{i, j, t+1}$ for all plans $j \neq k{ }^{43}$

The literature on consumer search and learning indicates that, under these assumptions, the consumer may choose to default into her current plan until she experiences a sufficiently large shock to her own plan's cost or her own health. Cabral and Fishman (2012), the study most relevant for our application, shows that observing a high price or a large price increase has two effects: it increases the expected benefit from search (it's likely that a better deal can be found) but also reduces it because the consumer assumes firm prices will be correlated. Under reasonable assumptions, the first effect dominates, and a large increase in price prompts the consumer to search for alternatives.

A shock to the consumer's health may increase the probability of search and switching for two reasons. First it may decrease $\tilde{v}_{i, t}$, for example by prompting the senior's relatives to help evaluate the plans in her choice set. It could alternatively increase the variance of the consumer's expected distribution of costs $c_{i, j, t+1}$. Sallee (2014) shows that, in a similar model where consumers choose durable goods based partly on their expected lifetime fuel costs, an increase in the variance of the cost distribution (uncertainty) implies an increase in the expected benefit from search.

[^21]
### 4.2 Demand Model for Estimation

Having outlined a framework under which costs of processing information can generate the consumer inattention we observe in the data, we move on to specify a simple two-stage model of consumer decision-making for estimation. Consistent with the framework just developed, we abstract away from risk aversion and learning and assume that consumers are myopic in their choice of plans. We distinguish between two possible unobserved sources of choice persistence: persistent variation in unobserved preferences and inattention. We account for inattention using the following simple framework. We assume that each consumer ignores the plan choice problem until hit by a shock to the OOP costs of her current plan or to her health. These shocks are assumed to have additively separable effects on her decision to re-optimize her choice of plan. If she chooses to re-optimize, she makes choices according to a utility equation to be estimated ${ }^{44}$ We use this simple decision model to predict the behaviors that will affect the optimal plan strategies: consumers' decisions to switch in response to different changes in the market and in their own health and the types of plans to which they switch after each type of shock. Then we use the estimates to explore how firms respond to this consumer behavior.

Specification As described in the text, we consider three shocks to the consumer's own characteristics that could prompt her to incur the costs of search. We define a shock to premiums in the enrollee's current plan $\left(v_{p}\right)$ as a premium increase of more than the weighted median increase in the relevant year. A coverage shock $\left(v_{c}\right)$ is again defined as the plan dropping coverage in the coverage gap or moving from the defined standard benefit to a different (tiered) system in the Pre-ICL phase. An enrollee is defined as having an acute shock $\left(v_{h}\right)$ when she is in the top quintile of total drug cost as well as the top decile of either percent spending on acute drugs or deviation between predicted and observed spending. Additionally, a consumer $i$ could simply receive a random shock that causes awareness, for example from a younger relative visiting the consumer and reviewing her plan choices. We label this shock $v_{e}$. The sum of these shocks creates a composite shock received

[^22]by consumer $i$ at time $t$ :
\[

$$
\begin{equation*}
v_{i, t}=v_{i, p, t} \beta_{1}+v_{i, c, t} \beta_{2}+v_{i, h, t} \beta_{3}+v_{i, e, t} \tag{11}
\end{equation*}
$$

\]

where the weights $\beta$ allow the different shocks to have different effects on the propensity to search (for example shocks to premiums may increase the likelihood of switching more than other shocks).

We assume that the random shock $v_{i, e, t}$ is distributed IID Extreme Value Type 1.
When the composite shock $v_{i, t}$ is large enough, i.e. when:

$$
\begin{equation*}
v_{i, t} \geq \tilde{v}_{i, t} \tag{12}
\end{equation*}
$$

then the consumer becomes aware and decides to re-optimize her plan election. Here $\tilde{v}_{i, t}$ is a function of consumer demographics related to health status and sensitivity to changes in plan characteristics: age groups, income quartiles, gender and race. In our model consumers are not heterogeneous in the weights they place on the three different shocks. Heterogeneity in search costs, however, is an important part of the model and the data, as can be seen for example in Table 24 . We also include year fixed effects in $\tilde{v}_{i, t}$ to account for differences in the environment across our three different enrollment periods. We expect that the amount and nature of advertising and of pharmacy and government outreach affected consumer attentiveness, and we expect these factors varied over time.

The second stage of the model examines how consumers who have decided to re-optimize choose whether to switch and to which plans. We assume that if equation (4) holds then consumer $i$ makes a choice from the full choice set (including her current plan) based on the following utility from choosing plan $j$ in year $t$ :

$$
\begin{align*}
u_{i, j, t} & =\operatorname{Tr} \hat{O} O P_{i, j, t} \beta_{1}+\operatorname{Premium}_{j, t}\left[\beta_{2,1}+v_{i, p, t} \beta_{2,2}\right]+\operatorname{Ded}_{j, t} \beta_{3,1} \\
& +\operatorname{Gap}_{j, t}\left[\beta_{4,1}+v_{i, c, t} \beta_{4,2}+v_{i, h, t} \beta_{4,3}\right]+X_{j, t} \beta_{5, i}+\epsilon_{i, j, t} \\
& =\delta_{i, j, t}+\epsilon_{i, j, t} \tag{13}
\end{align*}
$$

[^23]where expected OOP spending excluding premium $\left(\operatorname{Tr} \hat{O} O P_{i, j, t}\right)$ is calculated using the method described in Section 4, Premium $_{j, t}$ and $D e d_{j, t}$ are annual premiums and deductibles and $G a p_{j, t}$ is an indicator for any coverage in the gap. $X_{j, t}$ are non-price plan characteristics including an indicator for enhanced plans and brand fixed effects (defined at the carrier rather than the plan level) and $\epsilon_{i, j, t}$ is an IID extreme value type 1 error term (assumed to be independent of $v_{i, e, t}$ ).

In the reported specifications we use chronic TrOOP as our measure of out of pocket costs, as acute TrOOP may be measured with error while this is unlikely to be the case for chronic $\operatorname{TrOOP}{ }^{46}$ Note that a consumer who could calculate expected costs perfectly would value a given change in either $\operatorname{TrOOP}$ equally, and with the same weight as premium, as they are all measured in dollars. We do not include a term for the variance of chronic TrOOP because consumers are assumed to predict their chronic drug costs with certainty. While in principle a risk-neutral consumer should not put any weight on other plan financial characteristics after correctly calculating TrOOP, we know from past research that they do. Therefore we include other financial characteristics of the plan (the size of the deductible and an indicator for coverage in the gap) in the utility equation to help us predict consumer choice. Significant coefficients on these characteristics may reflect consumer risk aversion, the salience of particular publicized plan characteristics, or other choice frictions that we do not not formally model. In addition we allow consumers prompted to search by shocks to premiums to place additional weight on premiums. Consumers experiencing shocks to coverage, or acute shocks, are permitted to place additional weight on the plan offering gap coverage.

We model persistent unobserved preference heterogeneity by including normally-distributed random coefficients $\beta_{5, i}$ on fixed effects for the three dominant brands, which together have over $80 \%$ market share in 2006, and on the enhanced plan fixed effect. The model therefore allows choice persistence (such as a lack of switching away from a particular plan even when other plans reduce their premiums) to be caused either by heterogeneous preferences (some consumers have a very strong valuation for this brand that makes it worthwhile to remain enrolled even at a high relative price) or by inattention (consumers who are not affected by any of the previously-defined shocks are unaware of other plan premium reductions). One of our objectives in estimating this equation

[^24]is to distinguish between these two effects. ${ }^{47}$
The model is estimated using a random coefficients simulated maximum likelihood approach similar to that summarized in Train (2009). Details are provided in the following subsection.

Identification The intuition for identification of this model is now fairly standard in the literature (see for example Handel (2013) and Polyakova (2016)). We use the panel structure of the data, which implies that we can track individuals making consecutive choices over several years, together with the fact that new enrollees in the program enter the data in every year. These new enrollees are assumed to choose without inertia; we also assume that the normally distributed random coefficients fully capture the unobserved heterogeneity in their preferences. The parameters governing the unobserved preference heterogeneity (the distribution of the random coefficients) can therefore be estimated from the choices made by new enrollees in the program. Other determinants of the decision to switch, most importantly the parameters governing inattention, are identified from consumers' observed sequences of choices in the years following entry. The initial conditions problem (e.g., Heckman (1991)) does not arise in our data because we observe the first Part D choices for all individuals in the estimation sample.

Endogeneity issues are of course also relevant for identification. A classic endogeneity problem would occur if a plan's additional coverage was valued in ways we did not observe and this additional coverage was correlated with the plan's premium. An insurer with an unobservably good plan that wanted to charge a higher price could submit a higher bid to CMS and this would show up as a higher premium. However, the institutional features of the Part D setting reduce this endogeneity concern considerably. Because plans must meet the CMS' actuarial standards for coverage for an average statistical person, insurers are not permitted to offer plans with the types of unobservable quality typical in other differentiated products markets. What consumers purchase is a tariff; any given treatment does not vary in its characteristics across plans, and coverage is regulated by CMS. Hence the possible ways to differentiate in an unobservable dimension are limited. Here we

[^25]consider unobservable quality appearing through the formulary, additional benefits, and customer service. Anecdotally, customer service does not appear to be a very important force in this market. We predict consumer OOP payments using observed chronic drug utilization and demographic and utilization types, as described in section 2 of this Appendix. If there is some error in this calculation, we may predict OOP costs that differ from consumers' own predictions, implying that consumers may perceive some plans to be more attractive than is indicated by our OOP spending variable. In this case the error may be correlated with the premium, leading to downward bias in the premium and premium shock coefficients. For example, if a plan offers a low-priced version of a chronic drug, many consumers might choose to switch to it if they enroll in that plan. Our OOP cost measure assumes that consumers do not switch chronic drugs so we would systematically over-estimate OOP costs for that plan. If premiums are increased to account for this "unobserved generosity", the estimated premium coefficient will be biased towards zero. We address this concern by including carrier fixed effects in all specifications, as formularies are almost always fixed across plans within a carrier $\sqrt[48 \text {. The fact that formularies are nearly always constant across an insurance }]{ }$ carrier's plans is helpful for us because it means that unobserved quality related to the formulary is picked up with our brand fixed effects. The last possible endogeneity problem we consider is the additional coverage offered by enhanced plans, which is subject to less tight regulatory scrutiny than that of basic plans. We include enhanced plan fixed effects in all specifications and add enhanced-year interactions to account for time variation in the quality of enhanced plan coverage in some specifications. The typical unobserved quality dimension correlated with premium, as in Berry (1994), is therefore unlikely to play a major role in our data.

### 4.3 Details on Demand Model Estimation

We estimate the model using simulated maximum likelihood. Let $X_{S}$ and $\theta_{S}$ denote respectively the observed variables and parameters governing the decision to search, with $X_{C}$ and $\theta_{C}$ analogously denoting the observed variables and mean values of the parameters governing the individual's choice of plan. Further let $\tilde{\theta}_{C, i}^{R}$ denote the $R$ individual-specific random preference parameters, with associated observed variables $X_{C}^{R}$. We assume $\tilde{\theta}_{C, i}^{R} \sim \operatorname{MVN}\left(\theta_{C}^{R}, \Sigma I_{R} \Sigma^{\prime}\right)$, where $\theta_{C}=\left\{\theta_{C}^{R}, \theta_{C}^{N R}\right\}$.

[^26]Then for some individual-specific $R$-dimensional IID- $\mathcal{N}(0,1)$ vector $\nu_{i}$, we can express utility as:

$$
\begin{aligned}
u_{i, j, t} & =X_{C, i, j, t} \theta_{C}^{N R}+X_{C, i, j, t}^{R} \tilde{\theta}_{C, i}^{R}+\epsilon_{i, j, t} \\
& =X_{C, i, j, t} \theta_{C}^{N R}+X_{C, i, j, t}^{R} \nu_{i} \Sigma+\epsilon_{i, j, t} \\
& =\delta_{i, j, t}+\epsilon_{i, j, t}
\end{aligned}
$$

The parameters to be estimated are then $\Theta=\left\{\theta_{C}, \theta_{S}, \Sigma\right\}$.
Estimation is complicated by two problems. First, the individual-specific component of preferences, $\nu_{i} \Sigma$, is unobserved. Second, we do not observe the individual's decision to search, only to switch plans, and hence must estimate the probability of remaining in the current plan as a mixture over cases in which the individual searched and chose their current plan and cases in which the individual did not search. We can account for the second problem directly by writing the likelihood conditional on $\nu_{i}$ and $\Theta$ as a mixture:

$$
\begin{aligned}
& \mathcal{L}_{i, j, t} \mid \nu_{i}, \Theta=\underbrace{\frac{e^{\delta_{i, j, t}}}{\Sigma_{k=1}^{K_{t}} e^{\delta_{i, k, t}}} \text { if New Entrant }}_{\mathrm{P}(\text { Search })} \\
& \mathcal{L}_{i, j, t} \mid \nu_{i}, \Theta=\underbrace{\frac{1}{1+e^{X_{S, i, t}} \theta_{S}}}_{\mathrm{P}(\text { Choose } j)} \frac{e^{\delta_{i, j, t}}}{\sum_{k t}^{K_{t}} e^{\delta_{i, k, t}}} \text { if Switching } \\
& \mathcal{L}_{i, j, t} \mid \nu_{i}, \Theta=\underbrace{\frac{e^{X_{S, i, t} \theta_{S}}}{1+e^{X_{S, i, t} \theta_{S}}}}_{\mathrm{P}(\text { No Search })}+\underbrace{\frac{1}{1+e^{X_{S, i, t} \theta_{S}}}}_{\mathrm{P}(\text { Search })} \underbrace{\frac{e^{\delta_{i, j, t}}}{\sum_{k=1}^{K_{t}} e^{\delta_{i, k, t}}}}_{\mathrm{P}(\text { Choose } j)} \text { if Not Switching }
\end{aligned}
$$

where $K_{t}$ is the number of plans offered in Year $t$. Let $C_{i, t}^{1}, C_{i, t}^{2}$, and $C_{i, t}^{3}$ be indicator functions for the chosen plan $j$ being selected by respectively a New Entrant, Switcher, or Non-Switcher. We can thus account for the first problem by writing the likelihood conditional on $\Theta$ as the integral over all possible values of $\nu_{i}$, which we assume is constant across years for a given individual:

$$
\begin{aligned}
\mathcal{L}_{i, j, t} \mid \Theta & =\int_{\nu_{i}}\left[\frac{e^{\delta_{i, j, t}}}{\sum_{k=1}^{K_{t}} e^{\delta_{i, k, t}}}\right]^{C_{i, t}^{1}}+\left[\frac{1}{1+e^{X_{S, i, t} \theta_{S}}} \frac{e^{\delta_{i, j, t}}}{\sum_{k=1}^{K_{t}} e^{\delta_{i, k, t}}}\right]^{C_{i, t}^{2}} \\
& +\left[\frac{e^{X_{S, i, t} \theta_{S}}}{1+e^{X_{S, i, t} \theta_{S}}}+\frac{1}{1+e^{X_{S, i, t} \theta_{S}}} \frac{e^{\delta_{i, j, t}}}{\sum_{k=1}^{K_{t}} e^{\delta_{i, k, t}}}\right]^{C_{i, t}^{3}} \partial \Phi\left(\nu_{i}\right)
\end{aligned}
$$

We approximate this likelihood using simulation. Specifically, we take $S R$-dimensional fully
independent draws $\left\{\nu_{i}^{s}\right\}_{s=1}^{S}$ from a standard normal distribution for each individual $i$ and apply them to the individual for all years in which they are active in the data. At Step $m$ of the likelihood maximization routine, for the current guess of $\Theta^{(m)}$ we compute $\mathcal{L}_{i, j, t} \mid \nu_{i}^{s}, \Theta^{(m)}$ for the individual's observed sequence of choices for each $\nu_{i}^{s}$ and approximate the integral above with the sample average over the $S$ draws. We then maximize the likelihood using KNITRO maximization software.

### 4.4 Demand Estimates

The estimated coefficients and standard errors for four separate demand specifications are shown in Appendix Table 11; the means and standard deviations of the variables used in estimation are reported in Appendix Table 12 below. Model 1 uses a simple specification where only chronic TrOOP, premium, brand fixed-effects and an enhanced plan fixed effect, with random coefficients as specified above, are included in the utility equation. We add variables incrementally in the following columns; Model 4 is our full specification. In all models the switch parameter estimates indicate that consumers are more likely to switch plans if they receive premium or coverage shocks or have an acute shock to their health. Women, nonwhite, lower-income and older enrollees have lower threshold values to trigger awareness, and hence are more likely to switch. These results are consistent with the switching estimates above and also with intuition. Failing to choose the lowestcost plan is more costly for older enrollees who already spend a higher fraction of their income on drugs, and for lower-income enrollees for whom the excess spending is more burdensome. For this reason they tend to require smaller prompts in order to re-optimize their choice.

The third panel of Appendix Table 11 sets out the estimated choice coefficients. As noted in the previous literature, if consumers are risk neutral and perfectly predict their expected OOP costs, we expect the coefficients on $\operatorname{TrOOP}$ and premium to be negative and approximately equal in magnitude. Consistent with AG, our estimates do not satisfy this criterion. Consumers are estimated to place a much greater weight on premiums than on chronic $\operatorname{TrOOP}, 49$. If we ignore shocks for simplicity, the model 4 estimates imply that a one-standard-deviation (or $\$ 241$ ) increase in premium for a single plan, holding all other plans' characteristics fixed, generates an average reduction in the probability that the plan is chosen of $8.5 \%$, while a one-standard-deviation increase

[^27]in chronic TrOOP, which is a much larger dollar increase of $\$ 935$, leads to a $7.6 \%$ reduction in probability of choice. Consumers also put significant weights on both gap coverage and deductibles. Model 4 implies that, for plans offering coverage in the gap, eliminating that coverage has an equivalent effect to a $\$ 252$ increase in annual premium, a $\$ 915$ increase in the deductible, or a $\$ 1211$ increase in chronic TrOOP. The significant coefficients on gap coverage and deductibles could be due to consumer risk aversion or the salience of these easily-observed plan characteristics. These variables may also absorb the effect of expected acute OOP costs which are not included in our primary specifications 50 . Overall we conclude that a plan's premium is clearly the most important characteristic affecting demand.

The random coefficient estimates are intuitive. While our data agreement prevents us from specifying the names of individual insurers, we can say that the three largest brands have a combined market share of over $80 \%$ in 2006-7. Consistent with this large enrollment, all three random coefficients are estimated to have positive and significant means. Those for large brands one and two, the largest in the sample, are particularly high and have variances of the same order of magnitude as the means. The third large brand has a relatively low premium which helps rationalize its high market share; its brand fixed effect has a somewhat lower mean and relatively higher variance compared to the others. The remaining brand dummy variables (not reported) indicate that consumers are willing to pay on the order of $\$ 500$ to move from the second-lowest-value plan to one of the three largest brands. Conditional on all other plan variables, consumers show a slight aversion to enhanced plans on average, although the variance of this random coefficient is three times larger than its mean. When we break out the enhanced plan coefficient by year in Model 4, we see that enhanced plans become increasingly attractive over time; the overall coefficient is positive by $2009 \sqrt{51}$

The choice equation also identifies a second source of frictions in consumer decision-making. Consistent with the evidence presented above as well as that in Busse et al. (2014), consumers switching plans following a shock to premiums place additional weight on premiums in making their

[^28]choice, while those switching following a health shock place additional weight on gap coverage. The magnitudes of these interaction terms indicate substantial effects. In particular, the weight placed on premiums by consumers who have experienced a premium shock is more than twice that for other consumers.

## 5 Details on Counterfactual Simulation

In order to simulate plan pricing in the counterfactual, we first must construct an estimate of plan costs that accounts for manufacturer rebates. In each year for each drug observed in the prescription drug event file, we categorize the drug as either branded or generic. For drugs that cannot be categorized, we label them as generic if their average cost is below the median among uncategorized drugs. Then for each branded drug and each year we generate the average cost per day's supply of the drug and apply it to each observed prescription, scaled by the observed supply length. We assume the cost net of rebates is $80 \%$ of this amount ${ }^{52}$. For generic drugs, we assume the cost is $\$ 4$ per month's supply and scale by the observed supply length 53 . For drug events in the catastrophic phase, we assume the plan pays $15 \%$ and the beneficiary pays $5 \%$, while for all other events we treat the beneficiary's TrOOP payment as known. We sum these drug costs over beneficiaries to generate an estimated annual cost figure and annual TrOOP for each beneficiary. Then within each plan and year we winsorize by replacing estimated annual costs and annual $\operatorname{TrOOP}$ for the bottom $2.5 \%$ of beneficiaries with the $2.5 \%$ quantile, and analogously for the top $2.5 \%$. These winsorized annual figures are then averaged within plan and year to generate estimates of benefit cost and TrOOP per covered life. Applying an administrative cost assumption of $16 \%$ of drug costs ${ }^{54}$, we generate an estimate of total costs per covered life net of TrOOP, which is treated as $C_{j, t}$ in Equation (4).

The second step in our simulation is to refine our estimates of each individual's unobserved type

[^29]by using the information from their observed choices. Each individual $i$ has random preferences $\tilde{\theta}_{C, i}^{R} \sim M V N\left(\theta_{C}^{R}, \Sigma I_{R} \Sigma^{\prime}\right)$. Denoting the distribution of random preferences as a function of our estimated parameters as $F\left(\tilde{\theta}_{C, i}^{R} \mid \hat{\theta}_{C}, \hat{\Sigma}\right)$ with associated density $f$ and the observed sequence of choices for individual $i$ as $C_{i}^{O b s}$, we can write the conditional distribution of the individual's type as:
$$
P\left(\tilde{\theta}_{C, i}^{R} \mid C_{i}^{O b s}\right)=\frac{P\left(C_{i}^{O b s} \mid \tilde{\theta}_{C, i}^{R}, \hat{\Theta}\right) f\left(\tilde{\theta}_{C, i}^{R} \mid \hat{\theta}_{C}, \hat{\Sigma}\right)}{\int_{\tilde{\theta}_{C}^{R}} P\left(C_{i}^{O b s} \mid \tilde{\theta}_{C}^{R}, \hat{\Theta}\right) \partial F\left(\tilde{\theta}_{C}^{R} \mid \hat{\theta}_{C}, \hat{\Sigma}\right)}
$$

Given $\hat{\Theta}$ and $\tilde{\theta}_{C, i}^{R}$ we can compute the likelihood of a given sequence of choices $C_{i}^{\text {Obs }}$ directly using the formulas from section 4.3 of this Appendix. We use this approach to construct the conditional density using simulation, approximating the integral in the denominator with $S^{\prime}=50$ simulation draws and drawing $S=10$ values $\left\{\tilde{\theta}_{C, i}^{R, s}\right\}_{s=1}^{S}$ from the conditional distribution for each individual.

Finally we use these inputs to solve for each plan's optimal bid under each counterfactual. Conditional on their unobserved type $\tilde{\theta}_{C, i}^{R}$ (and the premium coefficient for the relevant counterfactual), the choice probability of each individual for each plan-year in our static simulations takes the simple logit form:

$$
\tilde{\Lambda}_{i, j, t}=\frac{e^{X_{C, i, j, j,} \theta_{C}^{N R}+X_{C, i, j, j}^{R} \hat{\theta}_{C, i}^{R}}}{\sum_{k=1}^{K_{t}} e^{X_{C, i, k, t} \theta_{C}^{N R}+X_{C, i, k, t}^{R}, \tilde{\theta}_{C, i}^{R}}}
$$

while the unconditional probability is the integral over the filtered distribution from step 2 :

$$
\Lambda_{i, j, t}=\int_{\tilde{\theta}_{C, i}^{R}} \tilde{\Lambda}_{i, j, t} P\left(\tilde{\theta}_{C, i}^{R} \mid C_{i}^{O b s}\right) \partial \tilde{\theta}_{C, i}^{R}
$$

Plan j's enrollment in year $t$ under the counterfactual is therefore:

$$
N_{j, t}=\sum_{i=1}^{N_{t}} \Lambda_{i, j, t}
$$

where $N_{t}$ is the number of beneficiaries active in year $t$.
Denote the bid, base premium, enhanced premium and costs for plan $j$ in year $t$ by $B_{j, t}, P_{j, t}$, $E_{j, t}$, and $C_{j, t}$, respectively. Plan profits are a function of the bid, enhanced premium, costs, and
enrollment, and plans choose their bid to maximize profit:

$$
B_{j, t}=A R G M A X \pi_{j, t}=\left(B+E_{j, t}-C_{j, t}\right) N_{j, t}
$$

subject to the restriction that their premiums are determined by the Medicare Part D bidding mechanism, and are constrained to lie above zero. ${ }^{[55}$

$$
\begin{aligned}
P_{j, t} & =B_{j, t}-N A M B A_{t}+B B P_{t}+E_{j, t} \\
B B P_{t} & =B P P_{t} \times N A M B A_{t} \\
N A M B A_{t} & =\frac{1}{J_{t}} \Sigma_{k=1}^{J_{t}} B_{k, t} \\
P_{j, t} & \geq 0
\end{aligned}
$$

Under the assumption that the Base Premium Percentage $\left(B P P_{t}\right)$, enhanced premium and costs are exogenous, we can write the plan's premium in terms of its own and all other plans' bids, yielding an expression for the derivatives of plan premiums with respect to own- and other-plan bids:

$$
\begin{aligned}
\frac{\partial P_{j, t}}{\partial B_{j, t}} & =\frac{J_{t}-\left(1-B P P_{t}\right)}{J_{t}} \\
\frac{\partial P_{k, t}}{\partial B_{j, t}} & =\frac{-\left(1-B P P_{t}\right)}{J_{t}}
\end{aligned}
$$

Conditional on $\tilde{\theta}_{C, i}^{R}$, the derivative of the choice probability with respect to plan premiums is of the usual logit form:

$$
\begin{aligned}
\frac{\partial \tilde{\Lambda}_{i, j, t}}{\partial P_{j, t}} & =\beta_{2,1} \tilde{\Lambda}_{i, j, t}\left(1-\tilde{\Lambda}_{i, j, t}\right) \\
\frac{\partial \tilde{\Lambda}_{i, j, t}}{\partial P_{k, t}} & =-\beta_{2,1} \tilde{\Lambda}_{i, j, t} \tilde{\Lambda}_{i, k, t}
\end{aligned}
$$

where $\beta_{2,1}$ is the utility parameter for plan premiums.

[^30]Combining the expressions above, we can write the plan's optimal bidding problem as:

$$
\begin{array}{ll} 
& M_{B}^{A X}\left(B+E_{j, t}-C_{j, t}\right) \times\left(\Sigma_{i=1}^{N_{t}} \Lambda_{i, j, t}\right) \\
\text { s.t. } & B \geq-E_{j, t}+\frac{1-B P P_{t}}{J_{t}} \Sigma_{k=1}^{J_{t}} B_{k, t}
\end{array}
$$

where $E_{i, t}, B P P_{t}$ and $J_{t}$ are given. We can derive a first-order condition for the plan's bidding decision as:

$$
\frac{\partial \pi_{j, t}}{\partial B_{j, t}}=\left(B_{j, t}+E_{j, t}-C_{j, t}\right) \frac{\partial N_{j, t}}{\partial B_{j, t}}+N_{j, t}=0
$$

where

$$
\begin{aligned}
\frac{\partial N_{j, t}}{\partial B_{j, t}} & =\Sigma_{i=1}^{N_{t}} \beta_{2,1}\left[\int_{\tilde{\theta}_{C, i}^{R}} \tilde{\Lambda}_{i, j, t}\left(1-\tilde{\Lambda}_{i, j, t}\right) P\left(\tilde{\theta}_{C, i}^{R} \mid C_{i}^{O b s}\right) \partial \tilde{\theta}_{C, i}^{R}\right] \frac{J_{t}-\left(1-B P P_{t}\right)}{J_{t}} \\
& +\Sigma_{k \neq j} \beta_{2,1}\left[\int_{\tilde{\theta}_{C, i}^{R}} \tilde{\Lambda}_{i, j, j} \tilde{\Lambda}_{i, k, t} P\left(\tilde{\theta}_{C, i}^{R} \mid C_{i}^{O b s}\right) \partial \tilde{\theta}_{C, i}^{R}\right] \frac{\left(1-B P P_{t}\right)}{J_{t}}
\end{aligned}
$$

We solve for each plan's choice of bids, and hence premiums, by solving the system of first-order conditions expressed above using Gauss-Jacobi and SQP. In each step, we solve each plan's constrained optimization problem using the current-iterate bids and the expressions for the bidding mechanism above, and then generate choice probabilities and update the bid accordingly. Choice probabilities are generated using Model 4 from Appendix Table 11, where we assume that the shock interaction effects are all zero, and we use the observed Base Premium Percentage in each year.

Some of the inputs to this analysis need to be imputed from the data. We observe PDP plan total and basic premiums for NJ and infer enhanced premiums as the difference between the two. The NAMBA, Base Beneficiary Premium and Base Premium Percentage are published annually by CMS, and in the years over which we simulate, they are, respectively, ( $\$ 92.30, \$ 32.20,34.88 \%$ ) in 2006, ( $\$ 80.43, \$ 27.35,34.00 \%$ ) in 2007, ( $\$ 80.52, \$ 27.93,34.68 \%$ ) in 2008 , and ( $\$ 84.33, \$ 30.36,36.00 \%$ ) in 2009. For the purposes of determining monthly per-member subsidies, plan bids are actually scaled by a risk metric ( RxHCC ) that varies depending on the average demographic and chronic conditions of the insurer's risk pool. We ignore this metric, assuming that the government reinsurance program removes any incentives that may result from the scaling, and assume that each plan is
paid their bid $\left(B_{j, t}\right)$ plus their enhanced premium $\left(E_{j, t}\right)$. We assume the enhanced premium is held fixed at observed levels. The NAMBA is a national average over all MA-PD and PDP plans. We use our NJ data, and the observed total number of MA and PDP plans included in the NAMBA, to back out the national sum of MA bids under the assumption that MA and non-NJ PDP plans have the same average bids. We hold MA plan bids fixed in our calculations. We assume that non-NJ PDP plan bids change by the same percentage, on average, as the predicted change for NJ PDP plans.

## Appendix Tables

Appendix Table 1: Defined Standard Benefit Parameters, 2006-2013

| Deductible | $\$ 250$ | $\$ 265$ | $\$ 275$ | $\$ 295$ | $\$ 310$ | $\$ 310$ | $\$ 320$ | $\$ 325$ |
| ---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Initial Coverage Limit | $\$ 2,250$ | $\$ 2,400$ | $\$ 2,510$ | $\$ 2,700$ | $\$ 2,830$ | $\$ 2,840$ | $\$ 2,930$ | $\$ 2,970$ |
| Catastrophic Theshold (Total) | $\$ 5,100.00$ | $\$ 5,451.25$ | $\$ 5,726.25$ | $\$ 6,153.75$ | $\$ 6,440.00$ | $\$ 6,447.50$ | $\$ 6,657.50$ | $\$ 6,733.75$ |
| Catastrophic Theshold (OOP) | $\$ 3,600$ | $\$ 3,850$ | $\$ 4,050$ | $\$ 4,350$ | $\$ 4,550$ | $\$ 4,550$ | $\$ 4,700$ | $\$ 4,750$ |
| Pre-ICL Coinsurance | $25 \%$ | 2007 | $\mathbf{2 0 0 8}$ | $\mathbf{2 0 0 9}$ | $\mathbf{2 0 1 0}$ | $\mathbf{2 0 1 1}$ | $\mathbf{2 0 1 2}$ | $\mathbf{2 0 1 3}$ |
| Catastrophic Generic-Drug Copay* | $\$ 2.00$ | $\$ 2.15$ | $\$ 2.25$ | $\$ 2.40$ | $\$ 2.50$ | $\$ 2.50$ | $\$ 2.60$ | $\$ 2.65$ |
| Catastrophic Branded-Drug Copay* | $\$ 5.00$ | $\$ 5.35$ | $\$ 5.60$ | $\$ 6.00$ | $\$ 6.30$ | $\$ 6.30$ | $\$ 6.50$ | $\$ 6.60$ |

Notes: *Enrollee pays greater of copay or $5 \%$ coinsurance

## Appendix Table 2: Sample Composition

|  | Count | \% of Sample | \% Female | \% White |
| :---: | :---: | :---: | :---: | :---: |
| $\mathbf{2 0 0 6}$ | 127,654 | $21.98 \%$ | $63.7 \%$ | $91.1 \%$ |
| $\mathbf{2 0 0 7}$ | 141,987 | $24.43 \%$ | $62.4 \%$ | $90.8 \%$ |
| $\mathbf{2 0 0 8}$ | 151,289 | $26.05 \%$ | $61.6 \%$ | $91.0 \%$ |
| $\mathbf{2 0 0 9}$ | 159,906 | $27.53 \%$ | $60.4 \%$ | $90.9 \%$ |

Notes: Summary statistics on composition of New Jersey data sample.

Appendix Table 2B: Age Distribution

|  | Under 65 | $\mathbf{6 5 - 6 9}$ | $\mathbf{7 0 - 7 4}$ | $\mathbf{7 5 - 7 9}$ | $\mathbf{8 0 - 8 4}$ | Over 85 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathbf{2 0 0 6}$ | $5.82 \%$ | $19.71 \%$ | $19.51 \%$ | $20.33 \%$ | $17.27 \%$ | $17.36 \%$ |
| $\mathbf{2 0 0 7}$ | $6.20 \%$ | $22.28 \%$ | $19.51 \%$ | $18.63 \%$ | $16.52 \%$ | $16.85 \%$ |
| $\mathbf{2 0 0 8}$ | $6.15 \%$ | $24.84 \%$ | $19.85 \%$ | $17.26 \%$ | $15.66 \%$ | $16.24 \%$ |
| $\mathbf{2 0 0 9}$ | $6.27 \%$ | $27.68 \%$ | $20.08 \%$ | $16.13 \%$ | $14.54 \%$ | $15.28 \%$ |

Notes: Summary statistics on age distribution of New Jersey data sample.

## Appendix Table 2C: Part D Tenure

|  | New Entrants | $\mathbf{1}$ Year | $\mathbf{2}$ Years | $\mathbf{3}$ Years |
| :---: | :---: | :---: | :---: | :---: |
| $\mathbf{2 0 0 6}$ | 127,654 | 0 | 0 | 0 |
| $\mathbf{2 0 0 7}$ | 28,460 | 113,437 | 0 | 0 |
| $\mathbf{2 0 0 8}$ | 26,802 | 24,745 | 99,742 | 0 |
| $\mathbf{2 0 0 9}$ | 31,275 | 25,203 | 21,170 | 84,258 |

Notes: Summary statistics on composition of New Jersey data sample by number of years in Part D.

Appendix Table 3: Average Plan Quality

| \# Plans | \% Top Drugs Covered <br> Unweighted | \% Top Drugs Covered <br> Enrollment Weighted | \% Quality Stars <br> Unweighted | \% Quality Stars <br> Enrollment Weighted |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathbf{2 0 0 6}$ | 1,426 | $51 \%$ | $59 \%$ | $92 \%$ | $96 \%$ |
| $\mathbf{2 0 0 7}$ | 1,866 | $67 \%$ | $71 \%$ | $95 \%$ | $98 \%$ |
| $\mathbf{2 0 0 8}$ | 1,824 | $80 \%$ | $81 \%$ | $75 \%$ | $77 \%$ |
| $\mathbf{2 0 0 9}$ | 1,687 | $80 \%$ | $82 \%$ | $67 \%$ | $68 \%$ |

Notes: Percent of 117 most-commonly prescribed drugs covered, and percent of possible stars achieved, in PDP plans in each year (national data).

Appendix Table 4: Switching by Demographic Group

|  | $\mathbf{2 0 0 6 - 0 7}$ | $\mathbf{2 0 0 7 - 0 8}$ | $\mathbf{2 0 0 8} \mathbf{- 0 9}$ |
| ---: | :---: | :---: | :---: |
| Whole Sample | $19.08 \%$ | $24.07 \%$ | $8.16 \%$ |
| Female | $20.86 \%$ | $26.27 \%$ | $8.54 \%$ |
| Non-White | $21.68 \%$ | $26.94 \%$ | $8.83 \%$ |
| Income | $\mathbf{2 0 0 6 - 0 7}$ | $\mathbf{2 0 0 7 - 0 8}$ | $\mathbf{2 0 0 8 - 0 9}$ |
| 1st Quartile (low) | $24.84 \%$ | $30.60 \%$ | $9.00 \%$ |
| 2nd Quartile | $19.84 \%$ | $24.76 \%$ | $8.18 \%$ |
| 3rd Quartile | $18.01 \%$ | $23.20 \%$ | $8.22 \%$ |
| 4th Quartile (high) | $13.99 \%$ | $18.49 \%$ | $7.43 \%$ |
| Age | $\mathbf{2 0 0 6 - 0 7}$ | $\mathbf{2 0 0 7 - 0 8}$ | $\mathbf{2 0 0 8 - 0 9}$ |
| Under 65 | $29.28 \%$ | $33.23 \%$ | $11.32 \%$ |
| $\mathbf{6 5 - 6 9}$ | $12.78 \%$ | $18.08 \%$ | $7.68 \%$ |
| $\mathbf{7 0 - 7 4}$ | $14.71 \%$ | $20.03 \%$ | $7.55 \%$ |
| $\mathbf{7 5 - 7 9}$ | $17.03 \%$ | $22.33 \%$ | $7.55 \%$ |
| $\mathbf{8 0 - 8 4}$ | $20.65 \%$ | $25.20 \%$ | $7.64 \%$ |
| Over 85 | $27.45 \%$ | $33.37 \%$ | $9.80 \%$ |

Notes: Percent of enrollees switching plans in NJ data, by year and demographic group.

## Appendix Table 5: Spending Gap by Switch Decision

| Switchers | \% Error, Next- <br> Year Chosen Plan | \% Error, Next- <br> Year Same Plan | $\Delta \%$ Error, <br> Chosen Plan | $\Delta \%$ Error, <br> Same Plan | $\Delta \%$ Error, Chosen <br> Relative to Same |
| ---: | :---: | :---: | :---: | :---: | :---: |
| $\mathbf{2 0 0 6}$ | $27.97 \%$ | $35.01 \%$ | $-16.66 \%$ | $-9.62 \%$ | $-7.04 \%$ |
| $\mathbf{2 0 0 7}$ | $28.09 \%$ | $42.98 \%$ | $2.35 \%$ | $17.24 \%$ | $-14.89 \%$ |
| $\mathbf{2 0 0 8}$ | $25.83 \%$ | $39.75 \%$ | $-4.12 \%$ | $9.80 \%$ | $-13.92 \%$ |
|  | \% Error, Next- | \% Error, Next- | $\Delta \%$ Error, | $\Delta \%$ Error, | $\Delta \%$ Error, Chosen |
| Non-Switchers | Year Chosen Plan | Year Same Plan | Chosen Plan | Same Plan | Relative to Same |
| $\mathbf{2 0 0 6}$ | $29.81 \%$ | $29.81 \%$ | $-5.55 \%$ | $-5.55 \%$ | $0.00 \%$ |
| $\mathbf{2 0 0 7}$ | $35.00 \%$ | $35.00 \%$ | $4.07 \%$ | $4.07 \%$ | $0.00 \%$ |
| $\mathbf{2 0 0 8}$ | $37.07 \%$ | $37.07 \%$ | $6.03 \%$ | $6.03 \%$ | $0.00 \%$ |

Notes: Predicted percent error in observed chosen plan, and under scenario where enrollee stays in previousyear plan, for both switchers and non-switchers.

## Appendix Table 6: Proportion Within X\% of Lowest-Cost Plan

| $\mathbf{1 0 \%}$ | Whole Sample | Switched Past Year | Didn't Switch |
| :---: | :---: | :---: | :---: |
| $\mathbf{2 0 0 6}$ | $14.81 \%$ | - | - |
| $\mathbf{2 0 0 7}$ | $15.67 \%$ | $15.00 \%$ | $16.04 \%$ |
| $\mathbf{2 0 0 8}$ | $10.39 \%$ | $18.09 \%$ | $6.50 \%$ |
| $\mathbf{2 0 0 9}$ | $7.67 \%$ | $27.81 \%$ | $4.05 \%$ |
| $\mathbf{2 5 \%}$ | Whole Sample | Switched Past Year | Didn't Switch |
| $\mathbf{2 0 0 6}$ | $28.06 \%$ | - | - |
| $\mathbf{2 0 0 7}$ | $42.82 \%$ | $50.16 \%$ | $40.85 \%$ |
| $\mathbf{2 0 0 8}$ | $35.27 \%$ | $44.23 \%$ | $30.83 \%$ |
| $\mathbf{2 0 0 9}$ | $21.74 \%$ | $46.99 \%$ | $17.12 \%$ |

Notes: Estimated proportion of sample within $10 \%$ and $25 \%$ of spending in lowest-cost plan, for full sample and separately for switchers and non-switchers.

## Appendix Table 7: Probit Regressions on Switch Decision

|  | Model 1 | Model 2 | Model 3 | Model 4 |
| :---: | :---: | :---: | :---: | :---: |
| Years in Sample | $\begin{gathered} -0.174^{* * *} \\ (0.0047) \\ \hline \end{gathered}$ | $\begin{gathered} -0.174^{* * *} \\ (0.0047) \end{gathered}$ | $\begin{gathered} -0.167^{* * *} \\ (0.0049) \end{gathered}$ | $\begin{gathered} -0.167^{* * *} \\ (0.0049) \end{gathered}$ |
| Alzheimers/Mental Illness | $\begin{gathered} \hline-0.016^{* *} \\ (0.007) \end{gathered}$ | $\begin{gathered} \hline-0.017^{* *} \\ (0.007) \end{gathered}$ | $\begin{gathered} -0.014^{* *} \\ (0.007) \end{gathered}$ | $\begin{gathered} -0.015^{* *} \\ (0.007) \end{gathered}$ |
| Obs TrOOP (\$) | $\begin{aligned} & 0.00011^{* * *} \\ & (4.76 \mathrm{E}-06) \end{aligned}$ | $\begin{aligned} & 0.00011^{* * *} \\ & (4.88 \mathrm{E}-06) \end{aligned}$ | $\begin{aligned} & 0.00010^{* * *} \\ & (4.79 \mathrm{E}-06) \\ & \hline \end{aligned}$ | $\begin{aligned} & 0.00010^{* * *} \\ & (4.81 \mathrm{E}-06) \end{aligned}$ |
| Premium (\$) | $\begin{aligned} & 0.0027^{* * *} \\ & (0.000036) \\ & \hline \end{aligned}$ | $\begin{aligned} & \hline 0.0027^{* * *} \\ & (0.000036) \\ & \hline \end{aligned}$ | $\begin{aligned} & \hline 0.0026^{* * *} \\ & (0.000037) \\ & \hline \end{aligned}$ | $\begin{aligned} & \hline 0.0026^{* * *} \\ & (0.000037) \\ & \hline \end{aligned}$ |
| Deductible (\$) | $\begin{aligned} & 0.0041^{* * *} \\ & (0.000026) \\ & \hline \end{aligned}$ | $\begin{gathered} 0.0041^{* * *} \\ (0.00026) \\ \hline \end{gathered}$ | $\begin{aligned} & \hline 0.0042^{* * *} \\ & (0.000027) \\ & \hline \end{aligned}$ | $\begin{aligned} & \hline 0.0042^{* * *} \\ & (0.000028) \end{aligned}$ |
| Gap Coverage (All) | $\begin{gathered} -0.944^{* * *} \\ (0.031) \end{gathered}$ | $\begin{gathered} -0.951^{* * *} \\ (0.031) \\ \hline \end{gathered}$ | $\begin{gathered} -0.853^{* * *} \\ (0.031) \end{gathered}$ | $\begin{gathered} -0.861^{* * *} \\ (0.031) \\ \hline \end{gathered}$ |
| Gap Coverage (Generic) | $\begin{gathered} -1.628^{* * *} \\ (0.028) \\ \hline \end{gathered}$ | $\begin{gathered} \hline-1.628^{* * *} \\ (0.028) \\ \hline \end{gathered}$ | $\begin{gathered} -1.515^{* * *} \\ (0.029) \end{gathered}$ | $\begin{gathered} \hline-1.516^{* * *} \\ (0.029) \\ \hline \end{gathered}$ |
| National PDP | $\begin{gathered} -0.332^{* * *} \\ (0.007) \end{gathered}$ | $\begin{gathered} -0.334^{* * *} \\ (0.007) \end{gathered}$ | $\begin{gathered} -0.327^{* * *} \\ (0.007) \end{gathered}$ | $\begin{gathered} -0.329^{* * *} \\ (0.007) \\ \hline \end{gathered}$ |
| Female | $\begin{gathered} 0.099^{* * *} \\ (0.006) \end{gathered}$ | $\begin{gathered} \hline 0.099^{* * *} \\ (0.006) \end{gathered}$ | $\begin{gathered} \hline 0.099^{* * *} \\ (0.007) \end{gathered}$ | $\begin{gathered} \hline 0.099^{* * *} \\ (0.007) \end{gathered}$ |
| White | $\begin{gathered} -0.014 \\ (0.011) \\ \hline \end{gathered}$ | $\begin{gathered} -0.014 \\ (0.011) \\ \hline \end{gathered}$ | $\begin{gathered} -0.028 \\ (0.011) \\ \hline \end{gathered}$ | $\begin{gathered} -0.029 \\ (0.011) \\ \hline \end{gathered}$ |
| Premium Change (Own Plan) | $\begin{gathered} 0.0055^{* * *} \\ (0.0001) \end{gathered}$ | $\begin{gathered} 0.0055^{* * *} \\ (0.0001) \end{gathered}$ | $\begin{gathered} 0.0053^{* * *} \\ (0.0001) \end{gathered}$ | $\begin{gathered} \hline 0.0053^{* * *} \\ (0.0001) \\ \hline \end{gathered}$ |
| Next-Year Gap Coverage Dropped (Own Plan) | $\begin{gathered} 1.895^{* * *} \\ (0.087) \end{gathered}$ | $\begin{gathered} 1.898^{* * *} \\ (0.087) \end{gathered}$ | - | - |
| \% TrOOP Change (Own Plan) | - | - | $\begin{aligned} & \hline-1.05 \mathrm{E}-10 \\ & (7.11 \mathrm{E}-11) \\ & \hline \end{aligned}$ | $\begin{aligned} & -6.44 \mathrm{E}-11 \\ & (7.90 \mathrm{E}-11) \end{aligned}$ |
| $\begin{gathered} \text { Premium Change } \\ \text { (Avg. } 5 \text { Lowest-cost Plans) } \end{gathered}$ | - | $\begin{gathered} \hline 0.0002^{* * *} \\ (0.00004) \\ \hline \end{gathered}$ | - | $\begin{gathered} \hline 0.0002^{* * *} \\ (0.00004) \end{gathered}$ |
| Next-Year Gap Coverage Dropped <br> (\% 5 Lowest-cost Plans) | - | $\begin{aligned} & \hline-0.0397 \\ & (0.0362) \\ & \hline \end{aligned}$ | - | - |
| \% TrOOP Change <br> (Avg. 5 Lowest-cost Plans) | - | - | - | $\begin{gathered} \hline-1.31 \mathrm{E}-10 \\ (1.61 \mathrm{E}-10) \\ \hline \end{gathered}$ |
| Constant | $\begin{gathered} -2.685^{* * *} \\ (0.021) \end{gathered}$ | $\begin{gathered} -2.693^{* * *} \\ (0.021) \end{gathered}$ | $\begin{gathered} -2.587^{* * *} \\ (0.025) \end{gathered}$ | $\begin{gathered} -2.596^{* *} \\ (0.025) \end{gathered}$ |
| $\begin{gathered} \mathrm{N} \\ \text { Pseudo- }{ }^{2} \end{gathered}$ | $\begin{gathered} \hline \hline 366,555 \\ 0.310 \end{gathered}$ | $\begin{gathered} \hline \hline 366,555 \\ 0.310 \end{gathered}$ | $\begin{gathered} \hline \hline 337,477 \\ 0.311 \end{gathered}$ | $\begin{gathered} \hline \hline 337,477 \\ 0.311 \end{gathered}$ |

Notes: Probit regressions to predict probability of switching. All specifications include deciles of days' supply of chronic drugs in the previous year, income quartiles and age group fixed effects. White HCE Standard Errors in Parentheses. $" * "=90 \%$ Significance, ${ }^{* * * *}=95 \%$ Significance, ${ }^{* * * * *}=99 \%$ Significance

Appendix Table 8: Next-Year Plan Choices and Overspending by Shock, Switchers Only

| 2006 | Acute Shock | No Acute | Premium Shock | No Premium | Cov Shock | No Cov |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| \% Gap Coverage | $14.10 \%$ | $7.13 \%$ | $3.46 \%$ | $45.41 \%$ | $30.87 \%$ | $5.95 \%$ |
| Premium | 20.83 | 18.82 | 17.46 | 32.47 | 29.65 | 18.16 |
| \% within 25\% | $72.07 \%$ | $49.55 \%$ | $52.29 \%$ | $47.98 \%$ | $62.53 \%$ | $50.96 \%$ |
| 2007 | Acute Shock | No Acute | Premium Shock | No Premium | Cov Shock | No Cov |
| \% Gap Coverage | $5.39 \%$ | $3.20 \%$ | $2.97 \%$ | $5.29 \%$ | $0.00 \%$ | $3.41 \%$ |
| Premium | 27.25 | 26.43 | 25.77 | 29.68 | 22.10 | 26.50 |
| \% within 25\% | $64.99 \%$ | $42.20 \%$ | $46.70 \%$ | $34.20 \%$ | $0,00 \%$ | $44.37 \%$ |
| 2008 | Acute Shock | No Acute | Premium Shock | No Premium | Cov Shock | No Cov |
| \% Gap Coverage | $9.54 \%$ | $4.34 \%$ | $3.55 \%$ | $9.12 \%$ | $2.44 \%$ | $4.98 \%$ |
| Premium | 31.84 | 29.76 | 29.07 | 32.97 | 29.99 | 29.92 |
| \% within 25\% | $58.28 \%$ | $46.56 \%$ | $47.91 \%$ | $46.18 \%$ | $46.45 \%$ | $47.63 \%$ |
| Overall | Acute Shock | No Acute | Premium Shock | No Premium | Cov Shock | No Cov |
| \% Gap Coverage | $9.23 \%$ | $4.75 \%$ | $3.25 \%$ | $15.08 \%$ | $21.07 \%$ | $4.52 \%$ |
| Premium | 25.54 | 24.36 | 23.19 | 31.05 | 29.76 | 24.26 |
| \% within 25\% | $66.63 \%$ | $45.49 \%$ | $48.98 \%$ | $39.98 \%$ | $56.97 \%$ | $47.11 \%$ |
| N | 5,924 | 56,183 | 51,955 | 10,152 | 2,496 | 59,611 |

Notes: Summary of types of plans chosen by type of shock experienced. '\% Gap Coverage' is average percent of plans chosen with gap coverage; 'Premium" is average premium per enrollee per month for chosen plan; ' $\%$ within $25 \%$ ' is percent of plans chosen that are within $25 \%$ of lowest-cost option available.

Appendix Table 9: Following-Year Plan Characteristics Choices, Switchers and Non Switchers

| Switchers | \% Enhanced | Premium | \% Pre-ICL Cvge | \% ICL Cvge |
| :---: | :---: | :---: | :---: | :---: |
| $\mathbf{2 0 0 6}$ | $14.64 \%$ | 19.02 | $70.15 \%$ | $12.15 \%$ |
| $\mathbf{2 0 0 7}$ | $24.00 \%$ | 26.50 | $70.50 \%$ | $29.29 \%$ |
| $\mathbf{2 0 0 8}$ | $37.53 \%$ | 29.93 | $71.34 \%$ | $29.60 \%$ |
| Non Switchers | \% Enhanced | Premium | \% Pre-ICL Cvge | \% ICL Cvge |
| $\mathbf{2 0 0 6}$ | $28.13 \%$ | 26.02 | $62.29 \%$ | $10.29 \%$ |
| $\mathbf{2 0 0 7}$ | $33.62 \%$ | 38.63 | $65.85 \%$ | $6.52 \%$ |
| $\mathbf{2 0 0 8}$ | $31.58 \%$ | 38.31 | $62.40 \%$ | $9.07 \%$ |

Notes: Comparison of observed plan characteristics, for switchers and non-switchers. '\% Pre-ICL Cvge' is average observed percent of costs covered by the plan in Pre-ICL phase for that plan's enrollees; ‘\% ICL Cvge' is analogous figure for costs in the coverage gap.

Appendix Table 10: Predicted Overspending Regressions

|  | Without Switching Decision |  | With Switching Decision |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Coeff. | S.E. | Coeff. | S.E. |
| Years in Program | $-0.0254^{* * *}$ | $(0.0002)$ | $-0.0017^{* * *}$ | $(0.0004)$ |
| Female | $0.0026^{* * *}$ | $(0.0004)$ | 0.00027 | $(0.00047)$ |
| White | $0.0102^{* * *}$ | $(0.0007)$ | $0.0089^{* * *}$ | $(0.0008)$ |
| Obs TrOOP (\$) | $-0.000011^{* * *}$ | $(3.97 \mathrm{E}-07)$ | $-0.000025^{* * *}$ | $(4.68 \mathrm{E}-07)$ |
| Premium (\$) | $0.0007^{* * *}$ | $(2.52 \mathrm{E}-06)$ | $0.0006^{* * *}$ | $(2.71 \mathrm{E}-06)$ |
| Deductible (\$) | $0.000068^{* * *}$ | $(1.85 \mathrm{E}-06)$ | $0.00008^{* *}$ | $(2.40 \mathrm{E}-06)$ |
| Gap Cov. (All) | $-0.159^{* * *}$ | $(0.004)$ | $-0.664^{* * *}$ | $(0.024)$ |
| Gap Cov. (Generic) | $-0.128^{* * *}$ | $(0.001)$ | $-0.099^{* * *}$ | $(0.001)$ |
| National PDP | $-0.038^{* * *}$ | $(0.001)$ | $-0.061^{* * *}$ | $(0.001)$ |
| Switched Plans | - | - | $-0.005^{* * *}$ | $(0.0008)$ |
| Constant | $0.324^{* * *}$ | $(0.001)$ | $0.342^{* * *}$ | $(0.002)$ |
| $\mathbf{N}$ | 580,746 | - | 366,555 | - |
| $\mathbf{R}^{2}$ | 0.378 | - | 0.412 | - |

Notes: Regressions of predicted overspending (relative to predicted lowest-cost plan) on plan and enrollee characteristics. All specifications include deciles of days' supply of chronic drugs in the previous year, income quartiles and age group fixed effects. Robust Standard Errors in Parentheses. $" *=90 \%$ Significance, $" * * *$ $=95 \%$ Significance, ${ }^{" * * * "}=99 \%$ Significance

Appendix Table 11: Estimated Structural Demand Coefficients

|  | Model 1 |  | Model 2 |  | Model 3 |  | Model 4 |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Switch Parameters Threshold Shifters | Coeff. | S.E. | Coeff. | S.E. | Coeff. | S.E. | Coeff. | S.E. |
| Year (2007) | 3.73*** | 0.03 | 3.73*** | 0.04 | $3.72{ }^{* * *}$ | 0.04 | $3.74 * * *$ | 0.04 |
| Year (2008) | $3.17^{* * *}$ | 0.03 | $3.19^{* * *}$ | 0.03 | $3.26{ }^{* * *}$ | 0.03 | $3.27^{* * *}$ | 0.03 |
| Year (2009) | $4.38^{* * *}$ | 0.04 | $4.38^{* * *}$ | 0.04 | $4.35{ }^{* * *}$ | 0.04 | $4.34^{* * *}$ | 0.04 |
| Female | $-0.26^{* * *}$ | 0.02 | $-0.26^{* * *}$ | 0.02 | $-0.26^{* * *}$ | 0.02 | $-0.26^{* * *}$ | 0.02 |
| Nonwhite | -0.04 | 0.03 | -0.04 | 0.03 | -0.06* | 0.03 | -0.06* | 0.03 |
| Q1 Income | $-0.52^{* * *}$ | 0.03 | $-0.52^{* * *}$ | 0.03 | $-0.52^{* * *}$ | 0.03 | $-0.52^{* * *}$ | 0.03 |
| Q2 Income | -0.29 *** | 0.02 | $-0.29{ }^{* * *}$ | 0.02 | $-0.29 * * *$ | 0.02 | $-0.29{ }^{* * *}$ | 0.02 |
| Q3 Income | $-0.22^{* * *}$ | 0.02 | $-0.22^{* * *}$ | 0.03 | $-0.22^{* * *}$ | 0.02 | -0.22*** | 0.02 |
| Age 70-74 | $-0.15{ }^{* * *}$ | 0.03 | $-0.15{ }^{* * *}$ | 0.03 | $-0.14^{* * *}$ | 0.03 | $-0.14{ }^{* * *}$ | 0.03 |
| Age 75-79 | $-0.35{ }^{* * *}$ | 0.03 | $-0.35{ }^{* * *}$ | 0.03 | $-0.36{ }^{* * *}$ | 0.03 | $-0.36{ }^{* * *}$ | 0.03 |
| Age 80-84 | $-0.50^{* * *}$ | 0.03 | $-0.49^{* * *}$ | 0.03 | -0.50 *** | 0.03 | $-0.49{ }^{* * *}$ | 0.03 |
| Age U-65 | $-0.49 * * *$ | 0.05 | $-0.48^{* * *}$ | 0.05 | $-0.52^{* * *}$ | 0.05 | $-0.52^{* * *}$ | 0.05 |
| Age O-85 | $-0.76^{* * *}$ | 0.03 | $-0.76^{* * *}$ | 0.03 | $-0.76{ }^{* * *}$ | 0.03 | $-0.75 * * *$ | 0.03 |
| Shocks | Coeff. | S.E. | Coeff. | S.E. | Coeff. | S.E. | Coeff. | S.E. |
| Premium Shock | $2.38{ }^{* * *}$ | 0.01 | 2.40** | 0.02 | $2.36{ }^{* * *}$ | 0.03 | $2.38{ }^{* * *}$ | 0.02 |
| Coverage Shock | $0.70^{* * *}$ | 0.05 | 0.69** | 0.05 | $0.68{ }^{* *}$ | 0.05 | 0.68** | 0.05 |
| Acute Shock | $0.58{ }^{* * *}$ | 0.04 | 0.58** | 0.05 | $0.57^{* * *}$ | 0.05 | $0.56{ }^{* * *}$ | 0.05 |
| Choice Parameters | Coeff. | S.E. | Coeff. | S.E. | Coeff. | S.E. | Coeff. | S.E. |
| Chronic TrOOP | -1.58*** | 0.01 | -1.51 *** | 0.05 | $-1.46^{* * *}$ | 0.02 | $-1.34 * * *$ | 0.02 |
| Annual Premium | $-5.81^{* * *}$ | 0.08 | -7.51 *** | 0.12 | $-6.14 * * *$ | 0.03 | $-6.44^{* * *}$ | 0.08 |
| Deductible | - | - | -0.35** | 0.16 | $-1.67^{* * *}$ | 0.08 | $-1.77^{* * *}$ | 0.24 |
| Gap Coverage | - | - | $1.44 * * *$ | 0.08 | $1.44^{* * *}$ | 0.07 | $1.62^{* * *}$ | 0.08 |
| Premium Shock x Prem | - | - | - | - | $-10.33^{* * *}$ | 0.17 | $-10.08^{* * *}$ | 0.25 |
| Coverage Shock x Gap Cov | - | - | - | - | 0.61 | 1.24 | 0.43 | 1.94 |
| Acute Shock x Gap Cov | - | - | - | - | 0.95** | 0.37 | 0.94** | 0.28 |
| Enhanced: Mean | $-0.22^{* * *}$ | 0.10 | $-0.60^{* * *}$ | 0.02 | $-0.59^{* * *}$ | 0.04 | $-1.30^{* * *}$ | 0.07 |
| Enhanced: Variance | 2.78 | 0.65 | 2.81** | 0.28 | 3.40 ** | 0.31 | 4.09** | 0.52 |
| Enhanced (2007) | - | - | - | - | - | - | 0.78*** | 0.08 |
| Enhanced (2008) | - | - | - | - | - | - | 0.44** | 0.10 |
| Enhanced (2009) | - | - | - | - | - | - | 1.83*** | 0.12 |
| Lge Brand 1: RC Mean | $3.26{ }^{* * *}$ | 0.02 | $3.07^{* * *}$ | 0.06 | $3.01{ }^{* * *}$ | 0.03 | 2.92 *** | 0.06 |
| Lge Brand 1: RC Variance | 3.31** | 0.50 | 4.01** | 0.39 | $3.88{ }^{* *}$ | 0.29 | 1.72** | 0.21 |
| Lge Brand 2: RC Mean | $2.47^{* * *}$ | 0.05 | 2.51 *** | 0.09 | $2.67^{* * *}$ | 0.02 | $2.77^{* * *}$ | 0.03 |
| Lge Brand 2: RC Variance | $2.07 * *$ | 0.34 | 1.10** | 0.21 | 0.45** | 0.11 | $3.13^{* *}$ | 0.30 |
| Lge Brand 3: RC Mean | $1.22^{* * *}$ | 0.15 | 0.91*** | 0.09 | $1.02^{* * *}$ | 0.03 | $1.18{ }^{* * *}$ | 0.04 |
| Lge Brand 3: RC Variance | 3.34** | 0.53 | 2.30** | 0.27 | 1.01** | 0.19 | 4.16** | 0.51 |
| Fixed Effects | Brand |  | Brand |  | Brand |  | Brand |  |
| N | 580,746 |  | 580,746 |  | 580,746 |  | 580,746 |  |

Notes: Estimates from two-stage demand model. Threshold Shifters and Shocks are variables that affect the probability of switching. Choice Parameters are variables that affect preferences for plans conditional on switching. TrOOP is predicted OOP cost excluding premium. TrOOP, Deductible and Premium are in $\$ 000$ per year. Gap Coverage is an indicator for any coverage in the gap. White HCE Standard Errors. "*" $=90 \%$ Significance, "**" $=95 \%$ Significance, "***" $=99 \%$ Significance

Appendix Table 12: Descriptive Statistics for Demand Model Variables

| Switch Parameters |  |  |
| :---: | :---: | :---: |
| Threshold Shifters | Variable Mean | Standard Deviation |
| Constant | 1.000 | 0.000 |
| Female | 0.619 | 0.486 |
| Nonwhite | 0.091 | 0.287 |
| Q1 Income | 0.225 | 0.417 |
| Q2 Income | 0.269 | 0.443 |
| Q3 Income | 0.255 | 0.436 |
| Age 70-74 | 0.198 | 0.398 |
| Age 75-79 | 0.179 | 0.383 |
| Age 80-84 | 0.061 | 0.365 |
| Age U-65 | 0.163 | 0.240 |
| Age O-85 | Variable Mean | Standard Deviation |
| Shocks | -0.266 | 0.370 |
| Premium Shock | -0.024 | 0.442 |
| Coverage Shock | -0.037 | 0.184 |
| Acute Shock | Variable Mean | Standard Deviation |
| Choice Parameters | 0.784 | 0.935 |
| Chronic TrOOP(\$000) | 0.105 | 0.128 |
| Acute TrOOP (\$000) | 0.471 | 0.241 |
| Premium (\$000) | 0.095 | 0.126 |
| Deductible (\$000) | 0.235 | 0.424 |
| Gap Coverage | 0.127 | 0.247 |
| Premium Shock x Premium | 0.006 | 0.079 |
| Coverage Shock x Gap Coverage | 0.010 | 0.098 |
| Acute Shock x Gap Coverage | 0.472 | 0.499 |
| Enhanced | 0.072 | 0.258 |
| Enhanced (2006) | 0.122 | 0.328 |
| Enhanced (2007) | 0.135 | 0.342 |
| Enhanced (2008) | 0.143 | 0.350 |
| Enhanced (2009) |  |  |

Notes: Summary statistics for variables included in two-stage model of choice and switching. Premium, Coverage and Acute Shocks defined in Section 5.2. Gap Coverage is an indicator for any coverage in the gap.

## Appendix Table 13: The Five Largest New Jersey PDP Plans, 2006

| Insurer Name | Plan Name | Market Share |
| :---: | :---: | :---: |
| United Healthcare | AARP MedicareRx Plan | $27.63 \%$ |
| Horizon Blue Cross Blue Shield of NJ | Horizon Medicare Rx Plan 2 | $25.40 \%$ |
| Humana Insurance Company | Humana PDP Standard S5884-062 | $10.13 \%$ |
| First Health Premier | First Health Premier | $4.56 \%$ |
| Humana Insurance Company | Humana PDP Enhanced S5884-003 | $4.15 \%$ |

Notes: Publicly available data on names and market shares of the five largest New Jersey PDP plans in 2006. Source: CMS.

## Appendix Table 14: Premium Dispersion in New Jersey DSB Plans

|  | Mean, Equal | Std. Dev., Equal | Mean, Weighted | Std. Dev., Weighted | Minimum | Maximum |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathbf{2 0 0 6}$ | $\$ 26.33$ | $\$ 11.33$ | $\$ 9.27$ | $\$ 10.52$ | $\$ 4.43$ | $\$ 35.49$ |
| $\mathbf{2 0 0 7}$ | $\$ 31.28$ | $\$ 12.44$ | $\$ 10.37$ | $\$ 1.86$ | $\$ 10.20$ | $\$ 47.40$ |
| $\mathbf{2 0 0 8}$ | $\$ 32.51$ | $\$ 17.61$ | $\$ 31.28$ | $\$ 6.19$ | $\$ 19.20$ | $\$ 69.00$ |
| $\mathbf{2 0 0 9}$ | $\$ 42.88$ | $\$ 18.08$ | $\$ 29.84$ | $\$ 10.46$ | $\$ 26.60$ | $\$ 72.70$ |
| $\mathbf{2 0 1 0}$ | $\$ 37.66$ | $\$ 4.88$ | $\$ 37.84$ | $\$ 2.21$ | $\$ 32.00$ | $\$ 42.90$ |
| $\mathbf{2 0 1 1}$ | $\$ 39.73$ | $\$ 5.73$ | $\$ 37.26$ | $\$ 3.17$ | $\$ 34.20$ | $\$ 47.60$ |
| $\mathbf{2 0 1 2}$ | $\$ 38.37$ | $\$ 4.20$ | $\$ 37.32$ | $\$ 4.48$ | $\$ 34.80$ | $\$ 43.00$ |

Notes: Summary of premium dispersion in NJ Defined Standard Benefit plans. Premiums are in $\$$ per enrollee per month. "Weighted" means weighted by enrollment.

## Appendix Table 15: Annual Premium Increases, Accounting for "Sister" Plan Entry

|  | Model 1 |  | Model 2 |  | Model 3 |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Coeff. | SE | Coeff. | SE | Coeff. | SE |
| Lagged Premium | $-0.165^{* * *}$ | 0.008 | $-0.154^{* * *}$ | 0.009 | $-0.162^{* * *}$ | 0.008 |
| Lagged \# Tier 1 Drugs | $0.031^{* * *}$ | 0.005 | $0.028^{* *}$ | 0.005 | $0.030^{* *}$ | 0.005 |
| Lagged Deductible | $-0.007^{* * *}$ | 0.001 | $-0.008^{* * *}$ | 0.001 | $-0.008^{* * *}$ | 0.001 |
| Lagged Enhanced | $1.623^{* * *}$ | 0.334 | $1.322^{* * *}$ | 0.338 | $1.529^{* * *}$ | 0.335 |
| Lagged Gap Coverage | $5.505^{* * *}$ | 0.396 | $5.194^{* * *}$ | 0.399 | $5.418^{* * *}$ | 0.397 |
| Lagged Market Share | $6.716^{* * *}$ | 1.228 | $6.749^{* * *}$ | 1.225 | $6.725^{* * *}$ | 1.227 |
| Enrollment Growth Rate | $-4.001^{* *}$ | 1.154 | $-3.558^{* * *}$ | 1.154 | $-3.735^{* *}$ | 1.155 |
| Enter"Sister" Plan | - | - | $-2.038^{* * *}$ | 0.342 | - | - |
| Enter low-prem "Sister" Plan | - | - | - | - | $-1.876^{* * *}$ | 0.516 |
| Brand FE? | Yes |  | Yes |  | Yes |  |
| Region FE? | Yes |  | Yes |  | Yes |  |
| N | 7,796 |  | 0.796 |  | 0.274 |  |
| $R^{2}$ | 0.274 |  |  |  |  |  |

Notes: Regression of premium increase (in $\$$ ) on previous-year plan characteristics (national data). Enrollment growth rate is rate of growth for region's Part D program. Lagged market share is for this plan. Enter "Sister" plan is an indicator for same carrier adding a new plan in the relevant year; Enter low-prem "Sister" plan is an indicator for adding a new plan whose premium is the lowest in the market for that carrier.


[^0]:    *We thank Mark Duggan, Liran Einav, Gautam Gowrisankaran, Ben Handel, Robin Lee, Bentley MacLeod, Aviv Nevo, Eric Johnson and participants at numerous seminars and conferences for helpful comments. We especially thank Francesco Decarolis for sharing his data with us. All errors are our own.
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[^1]:    ${ }^{1}$ As we show in the paper, enrollees can do better by searching for the plan-specific out-of-pocket payments for the particular drugs they will consume.

[^2]:    ${ }^{2}$ The added benefit typically takes the form of either additional coverage in the coverage gap, reduced copayments, or coverage of certain drug types excluded from normal Part D coverage, such as cosmetic drugs and barbiturates. Plan sponsors offering plans with enhanced coverage must also offer a basic plan within the same region, and sponsors are prohibited from offering more than two enhanced plans in a given region. Enhanced plans do not receive higher subsidies, and any incremental costs are paid entirely by enrollees.
    ${ }^{3}$ Any costs of enhanced benefits in enhanced plans must be excluded at this stage.
    ${ }^{4}$ CMS may not bargain with plans over their bids. The agency may disallow a bid if some aspect of the plan such as the formulary or the actuarial equivalence does not follow regulations.
    ${ }^{5}$ In 2006 the various plans were equally weighted, but from 2008 onwards the NAMBA slowly transitioned to an enrollment weighted average.
    ${ }^{6}$ The sum of the government subsidy and the beneficiary premium percentage is over $100 \%$ because part of the government subsidy is used for plan reinsurance rather than as a direct subsidy to premiums.

[^3]:    ${ }^{7}$ For the first three years of the program, the benchmark was calculated as the equal-weighted mean basic PDP plan premium in a region. In later years it was an enrollment-weighted mean. Because lower cost plans have more enrollees, this policy change reduced the number of plans that qualified as benchmark over time.
    ${ }^{8}$ Because carriers set a single premium for a plan that enrolls both LIS and non-LIS consumers, there may be interactions between the two markets. For example, a strategy studied by Decarolis (2012) in the early years of Part D involved cycling of plans. A sponsor would raise the price of an existing plan above the benchmark, but introduce a new plan below the benchmark to catch auto-assigned LIS recipients, meanwhile keeping any choosers and other enrollees in the original plan. We note that this cycling strategy was not used by all insurers, and declined over time. For example, Summer et al (2010) report that by $2010,92 \%$ of all auto-assignments were across corporate boundaries. In the analysis below we find no evidence of this cycling behavior by plans in our New Jersey sample; we do not attempt to account for it in our model of supply.

[^4]:    ${ }^{9}$ The authors note that the results will also hold if there is a startup cost $K$ of trying a brand and $K^{\prime}$ of switching to a new brand, for $K, K^{\prime}$ sufficiently large.
    ${ }^{10}$ Work such as Dube, Hitsch and Rossi (2008) shows that this result may not hold in cases where a firm's incumbent customers are not fully locked into a single firm. That paper solves and/or simulates several simplified versions of a model with differentiated products, consumer switching costs and imperfect lock-in. The authors show that as switching costs grow, equilibrium prices first fall and then increase relative to the case with no switching costs. The intuition is that with low switching costs the incentive for a firm to invest in future loyalty, and attract consumers from its competitors, by lowering current prices can dominate the incentive to harvest. The competitor anticipates this and lowers its price to prevent the customer from switching. This effect is much less relevant for our setting because inattention is unlike other switching costs. Inattentive consumers do not notice a lower price and therefore cannot be attracted by it.
    ${ }^{11}$ The papers on consumer search and learning referenced above (e.g. Cabral and Fishman (2012)) also consider how firms price in response to consumer search. They contain similar intuition and make the point that the equilibrium outcome for prices depends on the size of the search cost relative to the variation in firm costs of production.

[^5]:    ${ }^{12}$ It may be that over time employers and their about-to-be-retired employees no longer make other arrangements for pharmaceutical coverage, but build in to the employee benefit that he or she will use Part D. An evolution of this type would cause the flow rate into Part D at retirement to increase over time.
    ${ }^{13}$ One other dimension of quality that consumers might care about is customer service. CMS has a star rating system for enrollees to rate plans (with 3-5 stars available in each of 11-19 categories). Appendix Table 3 indicates that consumers may prefer higher-rated plans. However, the method used to assign star ratings changed dramatically between 2007 and 2008, making comparison between the 2006-2007 and 2008-2009 period difficult. There is evidence in prior papers that utilization management varies over time and across plans. The weighted average use of prior authorization for expensive drugs is $22 \%$ in 2014 (Hoadley et al 2014). We do not observe this in our data; it is captured in the brand and enhanced plan-by-year fixed effects in our utility equation.

[^6]:    ${ }^{14}$ There are consumers who "passively" switch in the sense that the firm retires their plan and automatically moves them into a different plan run by the same firm, and we do not count these as switches.
    ${ }^{15}$ Income is measured as the median value in the enrollee's census tract; see Appendix for details.
    ${ }^{16}$ We include both chronic and acute payments in our measure of OOP spending; the qualitatitive results change very little when we exclude acute spending.

[^7]:    ${ }^{17}$ We exclude enrollees who enter or exit the program the following year from this analysis.
    ${ }^{18}$ Throughout the paper, TrOOP refers to "true out of pocket costs", or OOP costs excluding premium, while OOP is the equivalent figure including premium.
    ${ }^{19}$ In the first year of the sample, the dominant factor is that switchers have larger errors in the current year than non-switchers.

[^8]:    ${ }^{20}$ The acute shock has a cross-year correlation of around .5, which is considerably lower than the cross-year correlation of other measures of sickness. Total spending, total supply, and acute supply each have a cross-year correlation between .8 and .9 , implying that the acute shock is substantially less persistent than underlying health status.
    ${ }^{21}$ These findings are corroborated by Hoadley et al. (2013), who find that premium increases and removal of gap coverage are the best predictors of switching behavior.

[^9]:    ${ }^{22}$ See Decarolis (2015) for a detailed description of the data.
    ${ }^{23}$ The market shares listed in Table 4 and Appendix Table 13 are slightly different from the shares of the plans in the data used for our analysis, because as noted in the Appendix, we drop very small plans from our sample.

[^10]:    ${ }^{24}$ Because of our focus on shocks to consumers' attention and the dynamics of pricing, we do not estimate our motivating regression in levels like Polyakova (2016), but rather in premium changes. It is the increase in price that becomes more lucrative with an increase in installed base.

[^11]:    ${ }^{25}$ A study by the Department of Health and Human Services Inspector General (Levinson (2011)) found that, in 2009, rebates reduced Part D drug expenditures by $19 \%$ on average for the 100 highest-volume brand name drugs. Our assumption regarding generic drug costs is based on Walmart's well known " $\$ 4$ for any generic prescription" program.
    ${ }^{26}$ In most cases the beneficary pays a $5 \%$ copay in the catastrophic phase, so for branded drug events we assume the plan pays $15 \%$. Fewer than $5 \%$ of enrollees reach this phase so this has little effect on predicted plan costs.

[^12]:    ${ }^{27}$ We truncate the plan-level average cost net of OOP payments at zero; this step involves only a few plans.

[^13]:    ${ }^{28}$ Papers such as Carey (2016), Einav et al (2016) and Lavetti and Simon (2016) consider strategic factors affecting insurers' formulary choices in Part D.
    ${ }^{29}$ We generate a new utility equation that is the same as equation (3) except that the premium coefficient is scaled by the percent of consumers who are attentive. It would be more accurate to assume that inattentive consumers had a zero price elasticity, but this would substantially complicate the simulations.

[^14]:    ${ }^{30}$ There were actually 44 PDP plans in New Jersey in 2006 (Table 4); as noted in the Appendix, we drop the smallest plans in the sample, so we focus on 40 of these 44.31 of the 40 plans were still active in 2009 .

[^15]:    ${ }^{31}$ CMS requires that the basic premium never fall below zero. Our simulations account for this constraint. However we note that the constraint is not binding for PDPs in our data, although MA-PDs, which bundle prescription drug insurance with Medicare Part C insurance and whose bids are included in the NAMBA, often have very low premium bids.
    ${ }^{32}$ The premium charged to enhanced plan enrollees is the basic premium defined in equation (5) plus the enhanced premium $E_{j, t}$. The enhanced premium is negotiated between the carrier and CMS and is meant to comprise the average additional cost of enhanced benefits provided to enrollees in the plan. It is not subsidized by CMS. We observe this variable in the data for every plan-year and account for it in our simulations under the assumption that it does not change in response to changes in enrollee attention.

[^16]:    ${ }^{33} \mathrm{We}$ account for the fact that a change in one plan's bid will affect all plans' premiums via the subsidy. We use national NAMBA figures published in annual press releases as an input to this analysis. The bid-setting game is solved for New Jersey PDP plans, assuming that PDP plans outside NJ will change their bids proportionately with NJ PDP plans, but holding fixed the bids of MA plans both within and outside this state. See Appendix for details.

[^17]:    ${ }^{34}$ The reductions in bids reported here are smaller than the reductions in consumer spending due to endogenous consumer choice. The Table 10 bid numbers are unweighted averages across plans, consistent with the method used to calculate government program costs in the first few years of the program. In contrast Table 8 reports averages

[^18]:    across enrollees rather than plans. Consumers tend to choose lower-premium plans, particularly in the "full attention" simulations when the premium coefficient is most negative.
    ${ }^{35}$ These reported observed NAMBAs are unweighted national averages, while those in Table 7 are enrollmentweighted averages for NJ PDPs only (reported in \$ per month for comparison with our cost estimates).
    ${ }^{36}$ This simple calculation assumes that, if inattention is removed nationally, the reduction in bids for PDP plans outside New Jersey will be the same as the average predicted reduction in NJ PDP plan bids, while MA plan bids remain constant. The $\$ 1.3$ billion saving is $1 \%$ of the government's cost of subsidizing PDP premiums for non-LIS enrollees nationally.
    ${ }^{37}$ This is the primary reason why the predicted government saving is lower than the weighted average saving to consumers from removing inattention. A second reason for the difference in percent savings is that the denominator for the government is the total cost of subsidizing PDP premiums, including risk payments and reinsurance, while for the consumer it is simply out-of-pocket payments.

[^19]:    ${ }^{38}$ We have experimented with different cutoffs and the median does well in terms of simplicity and explanatory power.
    ${ }^{39}$ Recall that basic plans must meet a coverage standard and be actuarially equivalent to the tariff set out in the

[^20]:    law. The declines we label as "shocks" are declines in one part of the benefit schedule, which we treat as appropriate measures of rapidly increasing premiums and eroding (or increasingly complex) coverage on some dimension. We could also potentially have considered other shock definitions such as pharmacy network changes, or indicators for individual enrollees' preferred drugs being dropped. Unfortunately the data were not ideal for these definitions.
    ${ }^{40}$ We do not have information on diagnoses because we only have data from Medicare Part D and not Parts A and B. However, a diagnosis - and in particular an inferred diagnosis - may be a less precise measure of how much pharmaceutical spending increases compared to actual utilization.
    ${ }^{41}$ The results are insensitive to using either the lowest-cost plan available, the lowest-cost plan within-brand, or an average of the 5 lowest-cost plans.

[^21]:    ${ }^{42}$ We break out $c_{i, j, t}$ into its component parts in the model for estimation; it is condensed to a single variable in this section for simplicity of exposition. The utility equation may not be "rational" in the sense that agents weight premium and copays equally, for example. However we assume that $\gamma<0$.
    ${ }^{43}$ As discussed in the paper, consumers are able to perfectly forecast a significant fraction of the future OOP costs of any plan.

[^22]:    ${ }^{44}$ Our consumers are "naive," in the sense that they do not realize that they are inattentive, and therefore their decisions do not take into account that they may not reoptimize again for a long time.

[^23]:    ${ }^{45}$ Note that $\tilde{v}_{i, t}$ should not be strictly interpreted as a search cost because we have not fully specified a first stage in which the consumer re-optimizes when the expected benefit of search is greater than its cost. However it has a similar interpretation: it is the level above which shocks to the consumer's attention will lead to search.

[^24]:    ${ }^{46}$ In robustness tests we show that including acute $\operatorname{TrOOP}$ as a separate input to the utility equation has very little impact on the results.

[^25]:    ${ }^{47}$ We choose not to model a third possible source of choice persistence: the existence of switching costs defined to be distinct from the attention and search costs here. While switching costs has been a focus of some previous papers on health insurance markets (e.g. Handel (2013) and Polyakova (2016)), we find it difficult to separate out what those might be (time, effort, searching) and whether they overlap with the cognitive effort of paying attention to a particular decision and investing in optimization. The evidence presented above indicates that inattention is an important source of search frictions in our data. We focus on identifying the effects of inattention separately from persistent unobserved preferences, choosing not to attempt the notoriously difficult empirical task of also distinguishing between the effects of asymmetric search costs (inattention) and switching costs.

[^26]:    ${ }^{48}$ We also included carrier-year fixed effects, in a simpler specification without random coefficients on the brand fixed effects, with little effect on the estimates.

[^27]:    ${ }^{49}$ Evidence for consumers over-weighting premiums and other plan variables relative to expected costs in other insurance markets is presented in Handel (2013).

[^28]:    ${ }^{50}$ Acute TrOOP is excluded from the main specifications because of measurement issues: it is generated from an average within a group defined by demographics and utilization and thus does not pick up private information regarding idiosyncratic cost variation within the group, which is likely to be an important factor in consumers' choice of plan. When we add acute TrOOP to models 1 and 2 its coefficient has the wrong sign but most of the other estimates change very little.
    ${ }^{51}$ Some of the effect of enhanced benefits could be subsumed in the estimate for gap coverage which many enhanced plans provide and many basic plans do not.

[^29]:    ${ }^{52}$ A study by the Department of Health and Human Services Inspector General (Levinson (2011)) found that, in 2009, rebates reduced Part D drug expenditures by $19 \%$ on average for the 100 highest-volume brand name drugs. We assume a slightly lower percentage to account for potentially lower rebates for lower-volume drugs.
    ${ }^{53}$ Our assumption for generic drug costs is based on Walmart's well known " $\$ 4$ for any generic prescription" program.
    ${ }^{54}$ Sullivan (2013) notes that the National Health Expenditure Accounts (NHEA) includes the administrative costs of Medicare Advantage plans and Part D plans in its report of total Medicare administrative costs. We use this fact, and data from the NHEA for 2006-2010, to back out administrative expenses of $14-16 \%$ of total costs - or $16-19 \%$ of non-administrative costs - for Parts C and D combined.

[^30]:    ${ }^{55}$ This is a simplification of the true system in which the base premium, not the total including the enhanced premium, is constrained to be weakly greater than zero.

